

Th2F-4

# Array Calibration and Digital Predistortion Training Using Embedded Near-Field Feedback Probes and Orthogonal Coding for Enhancing the Performance of Millimeter-Wave Beamforming Arrays

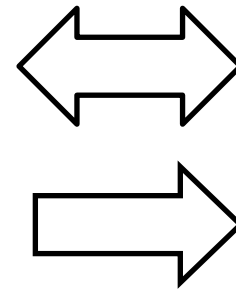
Ahmed Ben Ayed, Huixin Jin, Bernard Tung  
Patrick Mitran, and Slim Boumaiza  
Emerging Radio Systems Group  
University of Waterloo, Waterloo, Canada



- **Motivation**
- **Theory**
- **Measurement Results**
- **Conclusions**
- **Acknowledgements**

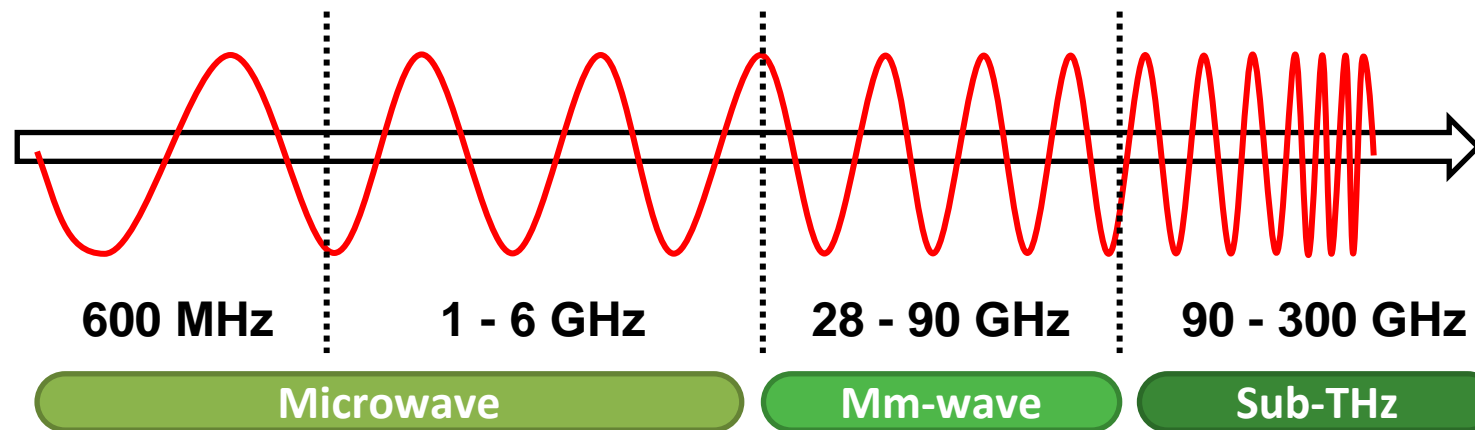
- Mm-wave and sub-THz frequencies will play a critical part in enabling future communication systems

- ✓ Available Spectrum
- ✓ Wideband Signals
- ✗ High Propagation Losses

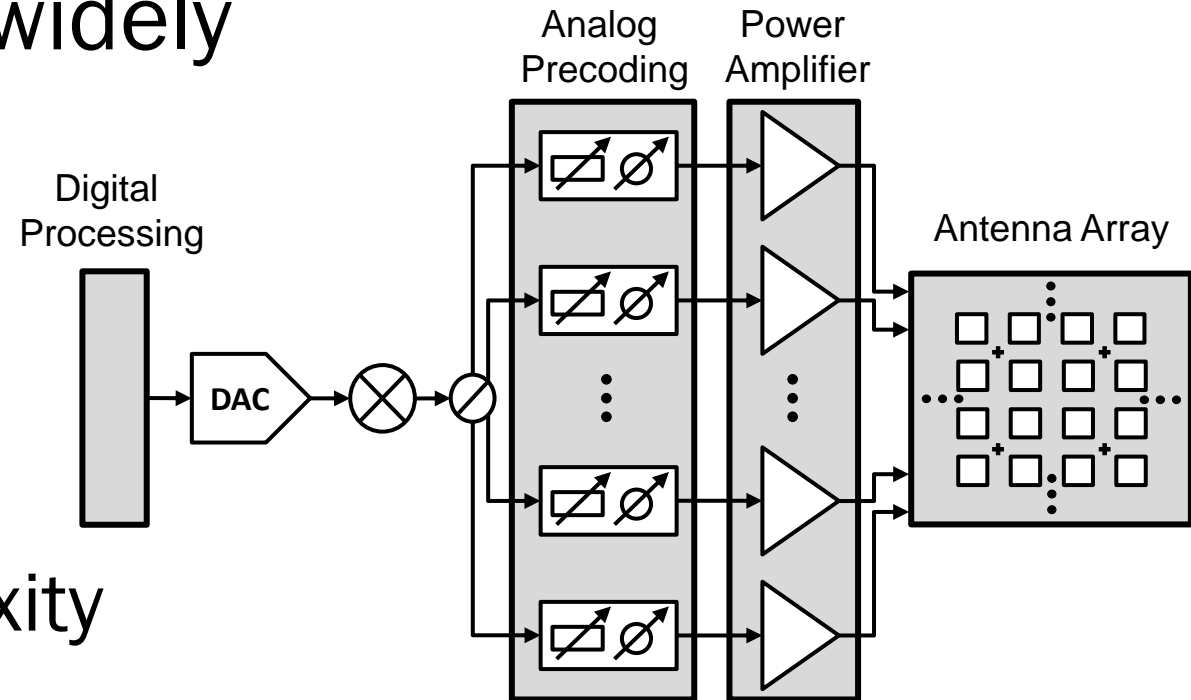




**High Data Rate**

**Phased Arrays**



- RF beamforming has been widely adopted at millimeter-wave frequencies
  - Increase Effective Isotropic Radiated Power (EIRP)
  - Low implementation complexity



- Nevertheless, RF beamforming arrays suffer from a multitude of nonidealities
    - Linear nonidealities (i.e., phase and gain errors)
      - IC level (e.g., phase and gain control circuitries)
      - Board level (e.g., assembly errors, routing)
    - Nonlinear nonidealities
      - Power amplifiers
- ➔ **Radiation Pattern** 
- ➔ **Signal Integrity** 

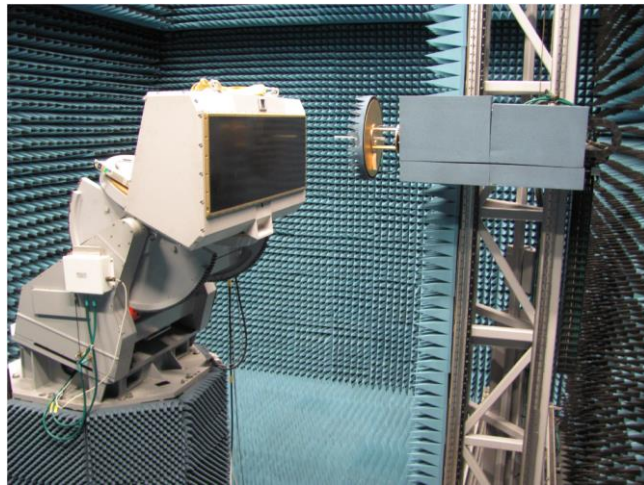
To compensate for these nonidealities **array calibration and digital predistortion (DPD)** techniques need to be deployed

- Different array calibration and DPD techniques have been discussed in the literature
- Existing array calibration techniques can be classified into:

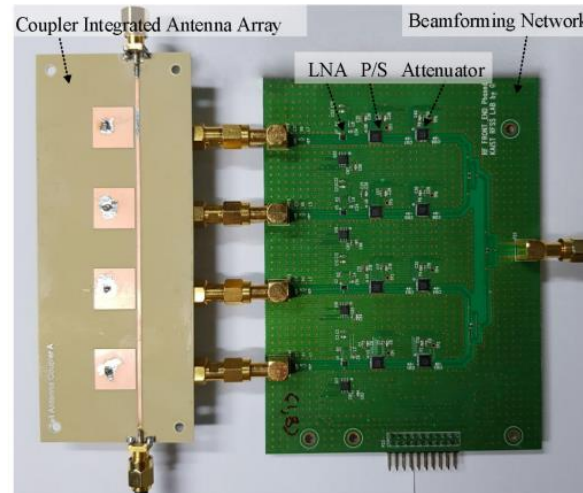
Element-wise array calibration [1-3]	Active array calibration [4-5]
Can calibration for phase and magnitude Errors versus beamformer settings (+)	Cannot calibrate for phase and magnitude Errors versus beamformer settings (-)
Are slow and cannot correct for errors due to heating and current loading (-)	Are fast and can correct for errors due to heating and current loading (+)



## Element-Wise Array calibration

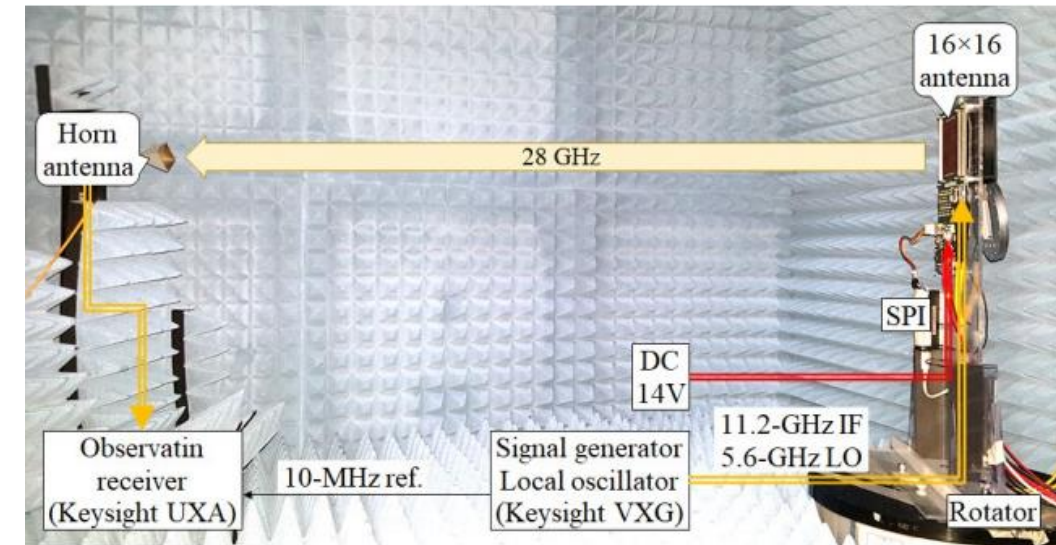


[1] Park and Probe



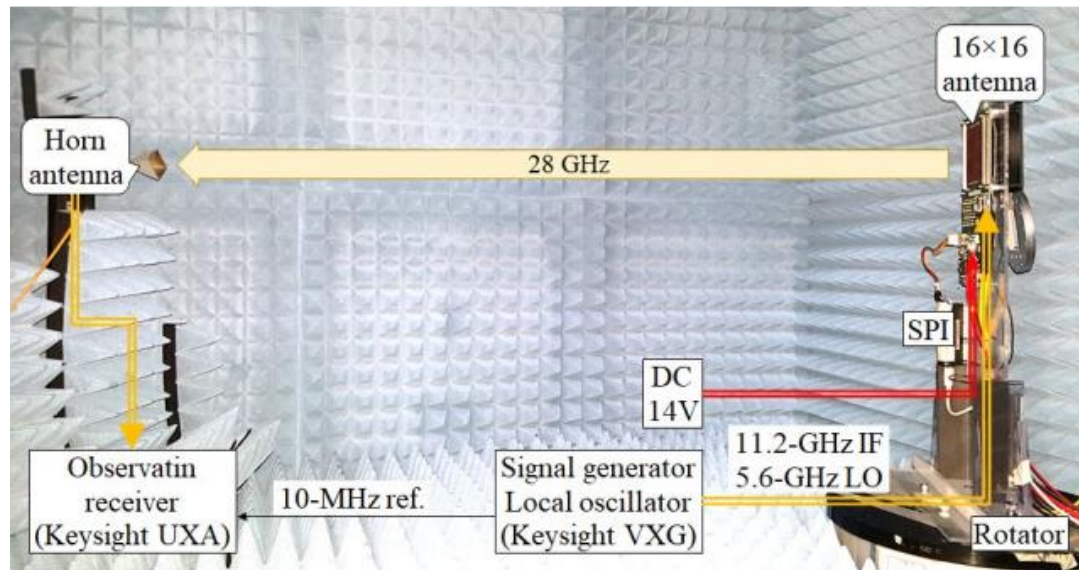
[2] Integrated coupler

## Active Array calibration

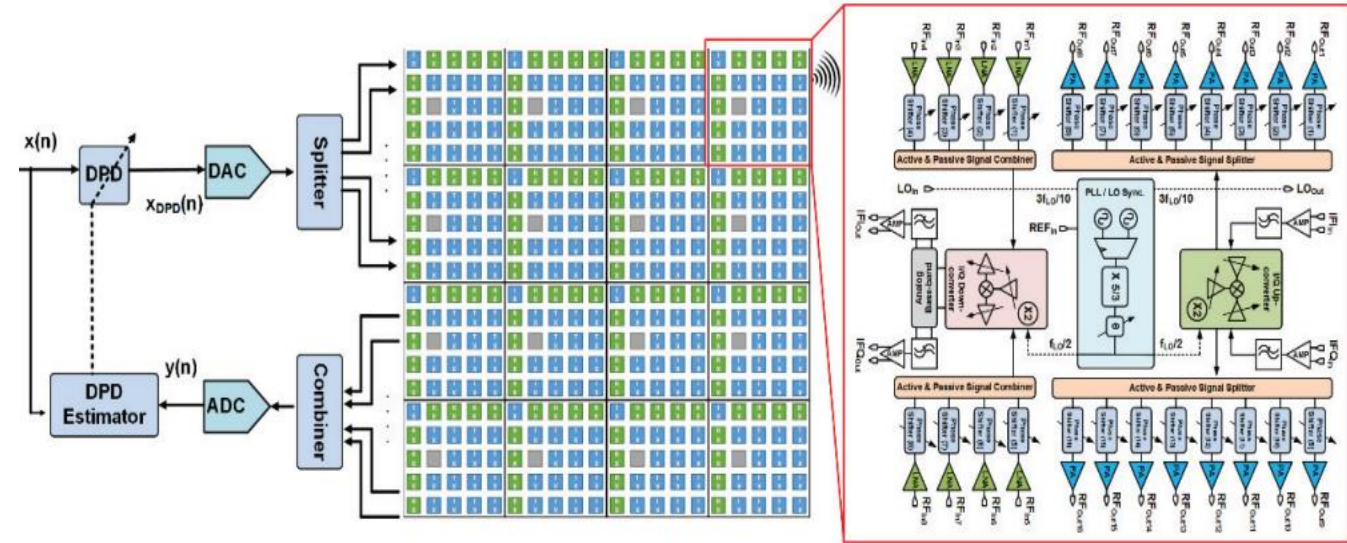


[3] Over-the-air feedback

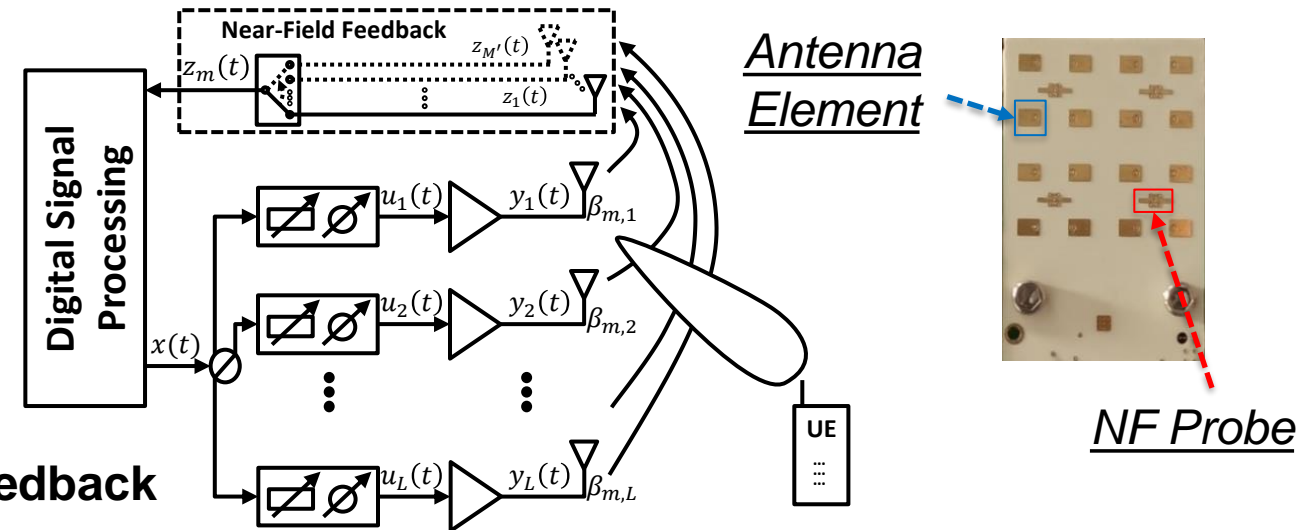
- For DPD training



[3] Over-the-air feedback



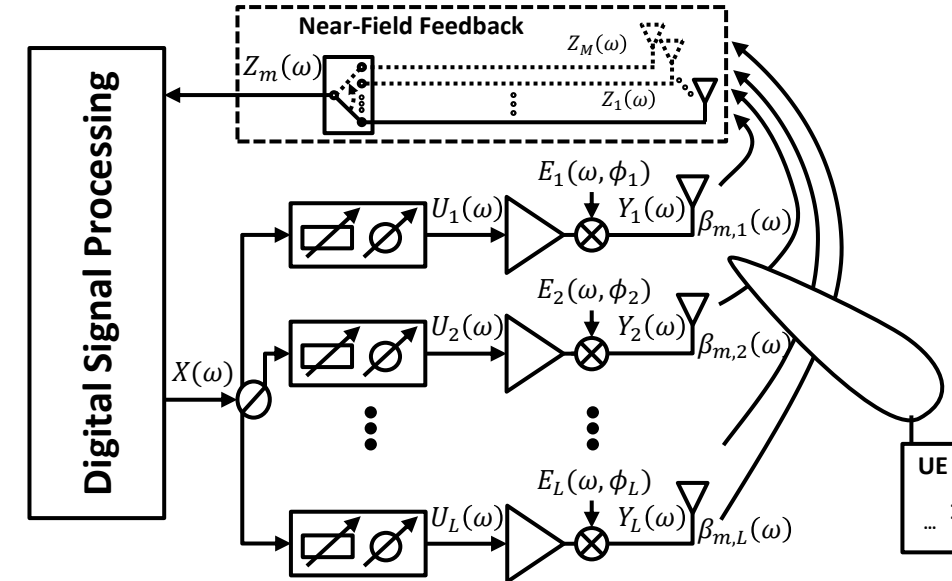
[4] Near-Field feedback



[5] Near-Field feedback



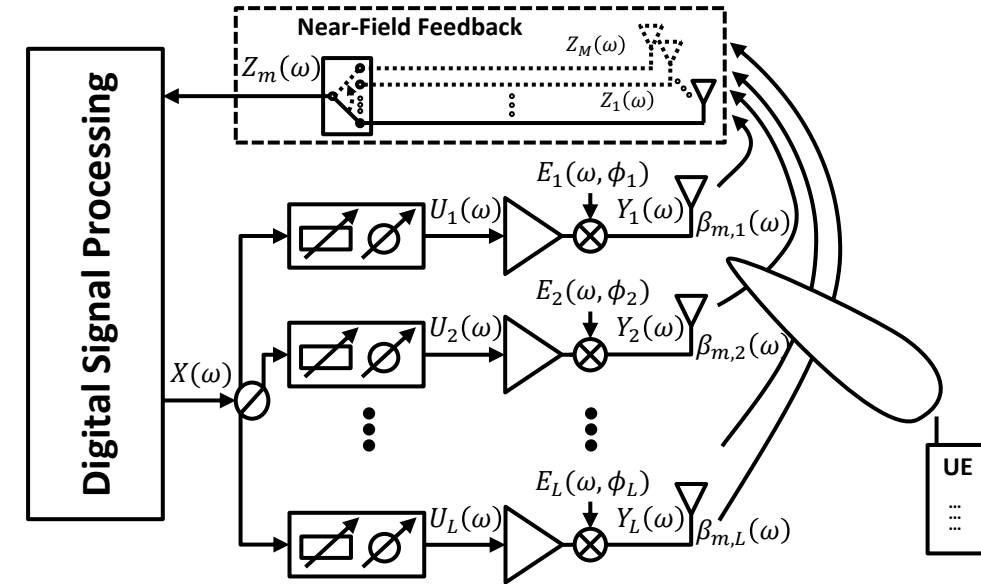
- In this work we propose an **active array calibration** and **DPD** training methods that use near-field probes as feedback
- The **proposed active array calibration** enable phased **dependended phase and magnitude error correction**
- The **proposed DPD training method** **relaxes** the contains on the **near-field feedback frequency response**



- Let  $E_\ell$  be the complex valued error at the  $\ell'$ th antenna element.
- To allow for the calibrating of the phase shifter dependent error,  $E_\ell(\omega, \phi_\ell)$ , in the following derivation, we assume that

$$E_\ell(\omega, \phi_\ell) \approx E_\ell(\omega, \phi_\ell + \pi) \quad (1)$$

- The assumption in (1) was validated experimentally on different beamforming ICs

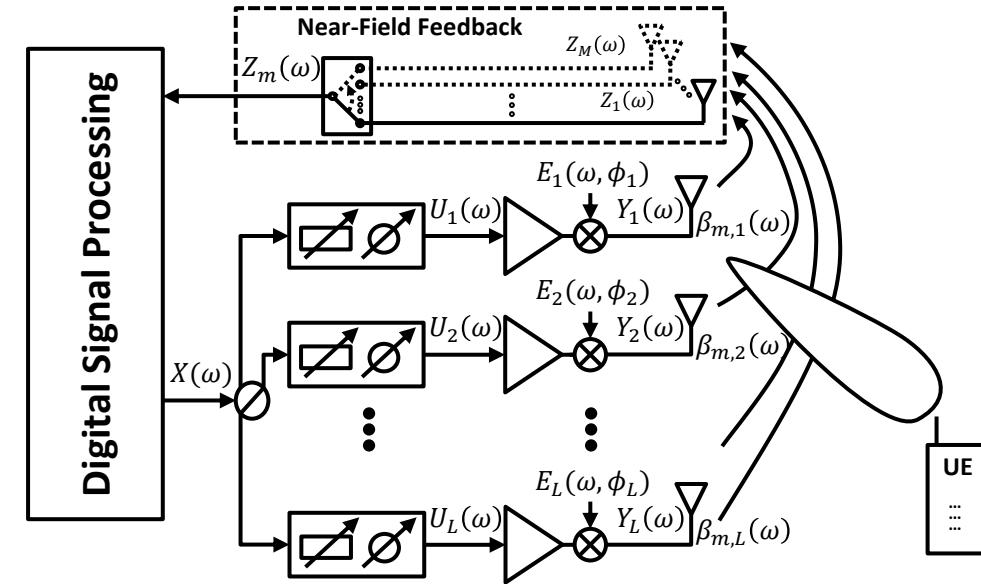


- Consequently, the received signal at the  $m'$ th near-field probe can be expressed as follows,

$$Z_m(\omega) = \sum_{\ell=1}^L G\beta_{m,\ell}(\omega)X(\omega)e^{i\phi_\ell}E_\ell(\omega, \phi_\ell) \quad (2)$$

Where  $\beta_{m,\ell}$  is the coupling coefficient between  $\ell'$ th antenna element and the  $m'$ th near-field probe

- The objective is to estimate  $E_\ell(\omega, \phi_\ell)$  using the near-field received signals.

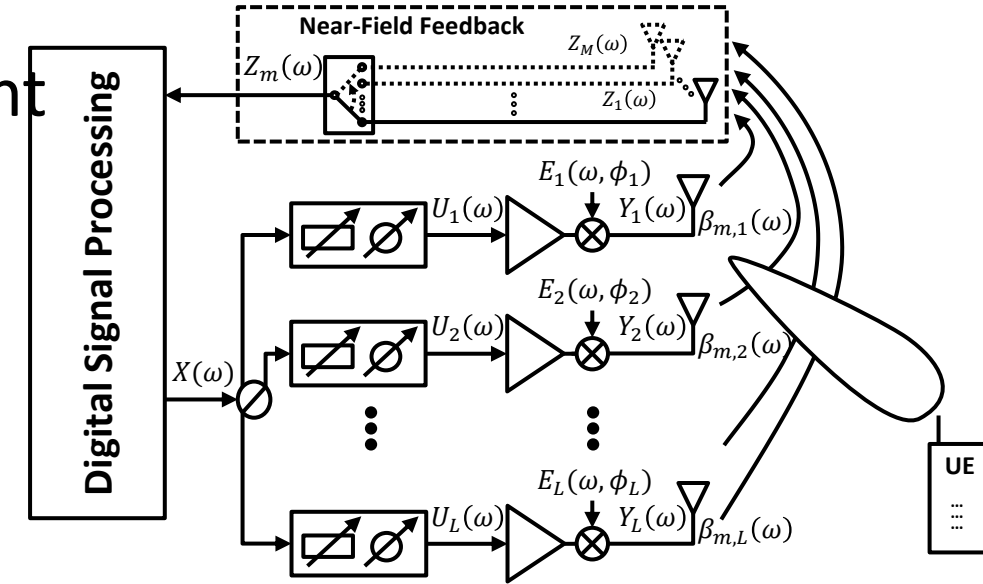


- Using multiple measurements with different phase settings  $\phi_\ell$ , we can solve for  $E_\ell$
- Note,  $E_\ell$  is  $\phi_\ell$  dependent  $\rightarrow E_\ell$  should remain constant across the different measurements, i.e.,

$$E_\ell(\phi_\ell) = E_\ell(\phi_{\ell,k}) \quad \forall k = 1 \dots K \text{ and } K \geq L \quad (3)$$

- In this work, we make use of the assumption in (2), i.e.,  $E_\ell(\omega, \phi) \approx E_\ell(\omega, \phi + \pi)$
- It can be shown that selecting the different phase measurements based on the Walsh-Hadamard matrix  $H$ , satisfies (2) and (3), where,

$$\mathbf{H}_n = \begin{bmatrix} \mathbf{H}_{\frac{n}{2}} & \mathbf{H}_{\frac{n}{2}} \\ \mathbf{H}_{\frac{n}{2}} & -\mathbf{H}_{\frac{n}{2}} \end{bmatrix}, \mathbf{H}_1 = 1, \mathbf{H}_2 = \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix} \quad (4)$$

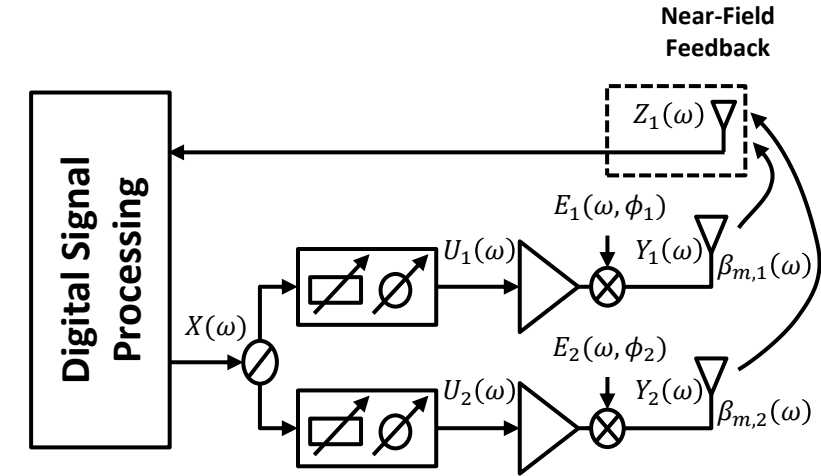


- Consider a two-antenna array with one near-field probe, using phase measurements based of the **Walsh-Hadamard** matrix,  $H$ , we have,

$$Z_{1,1}(\omega) = GX(\omega) \left( \beta_{1,1} e^{j\phi} E_1(\omega, \phi) + \beta_{1,2} e^{j\phi} E_2(\omega, \phi) \right)$$

$$Z_{1,2}(\omega) = GX(\omega) \left( \beta_{1,1} e^{j\phi} E_1(\omega, \phi) + \beta_{1,2} e^{j\phi + \pi} E_2(\omega, \phi) \right)$$

$$\Rightarrow E_1(\omega, \phi) = \frac{Z_{1,1}(\omega) + Z_{1,2}(\omega)}{2GX(\omega)\beta_{1,1}}, E_2(\omega, \phi) = \frac{Z_{1,1}(\omega) - Z_{1,2}(\omega)}{2GX(\omega)\beta_{1,2}}$$



- In general, using  $M$  near-field probes and  $L/M$  measurements the different  $E_\ell(\omega, \phi)$  errors can be solved for using the following equation and least squares fitting,

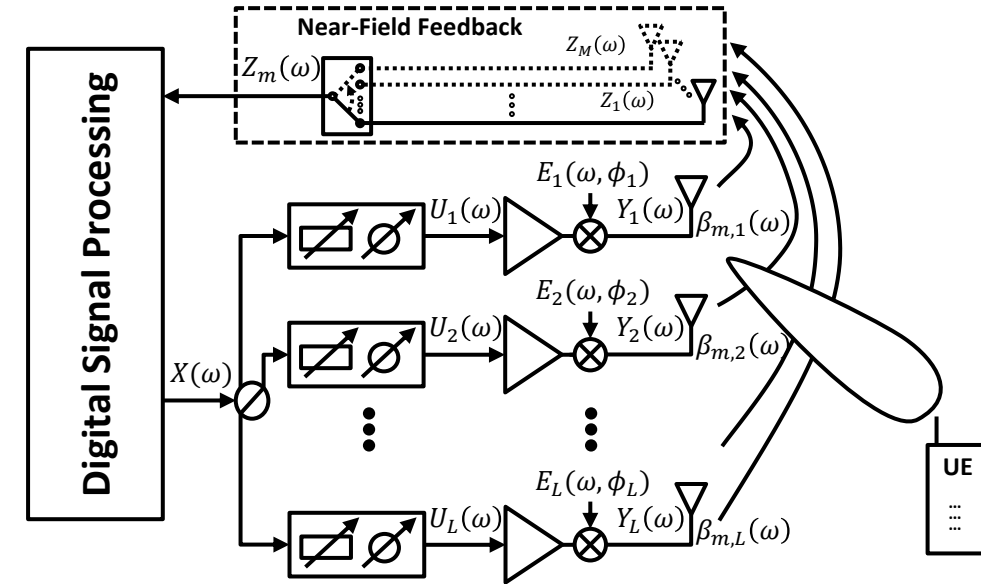
$$\begin{bmatrix} \mathbf{Z}_1(\omega) \\ \vdots \\ \mathbf{Z}_M(\omega) \end{bmatrix} = GX(\omega) e^{j\phi} \begin{bmatrix} \mathbf{H}\mathbf{B}_1(\omega) \\ \vdots \\ \mathbf{H}\mathbf{B}_M(\omega) \end{bmatrix} \begin{bmatrix} E_1(\omega, \phi) \\ \vdots \\ E_L(\omega, \phi) \end{bmatrix} \quad (5)$$



- With array now calibrated and operated in its nonlinear region, the  $\ell'$ 'th PA output can now be modeled as,

$$Y_{\ell} = GV_{\ell}(\omega)e^{j\phi_{\ell}} \quad (6)$$

Where  $V_{\ell}(\omega) = X(\omega) + N_{\ell}(\omega)$ , and  $N_{\ell}(\omega)$  is the  $\ell'$ 'th PA nonlinear additive error.



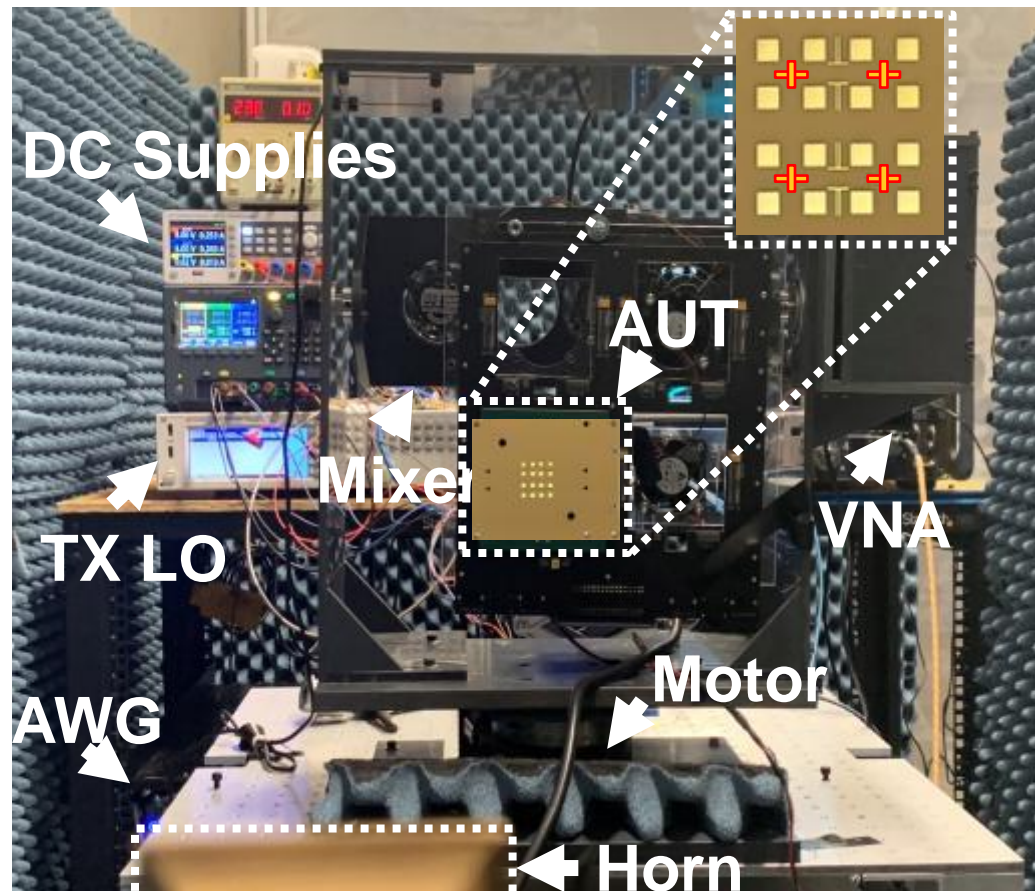
- The received signal at the  $m'$ 'th near-field probe can be expressed as

$$Z_m(\omega) = G\Phi\mathbf{B}_m\mathbf{V}(\omega) \quad (7)$$

- Using a series of  $L/M$  measurements (with phases devised from  $\mathbf{H}$ ), we have

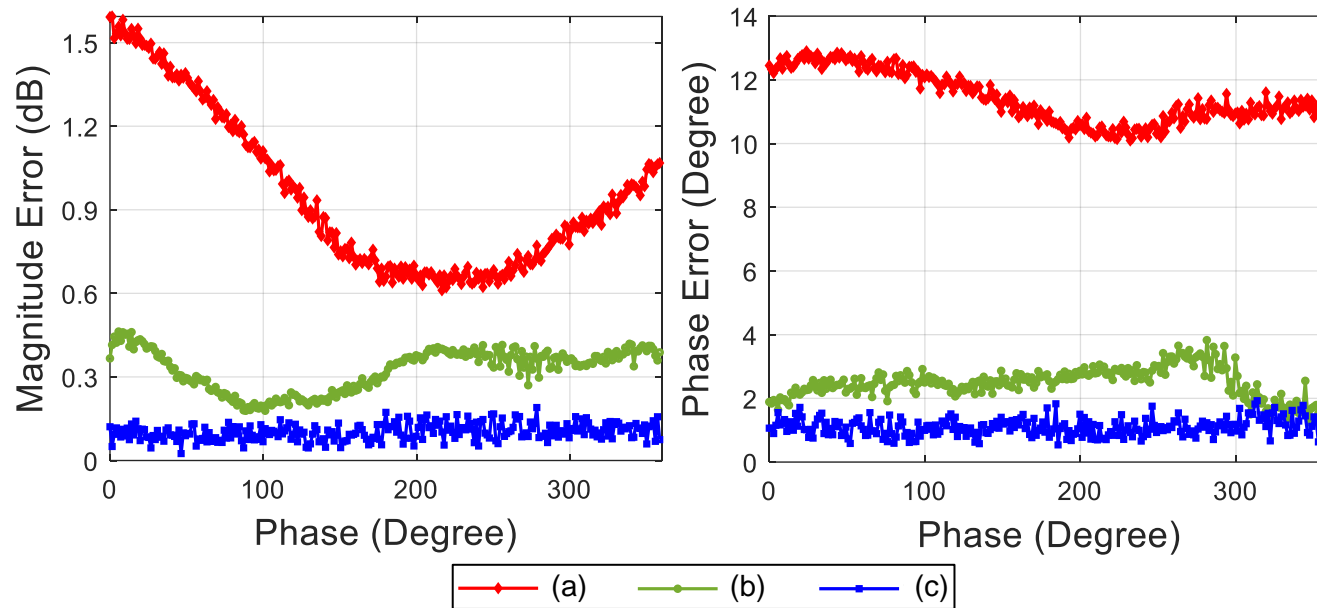
$$\mathbf{Z}(\omega) = G\Phi \begin{bmatrix} \mathbf{H}\mathbf{B}_1(\omega) \\ \vdots \\ \mathbf{H}\mathbf{B}_M(\omega) \end{bmatrix} \mathbf{V}(\omega) \quad (8)$$

# Measurement Results

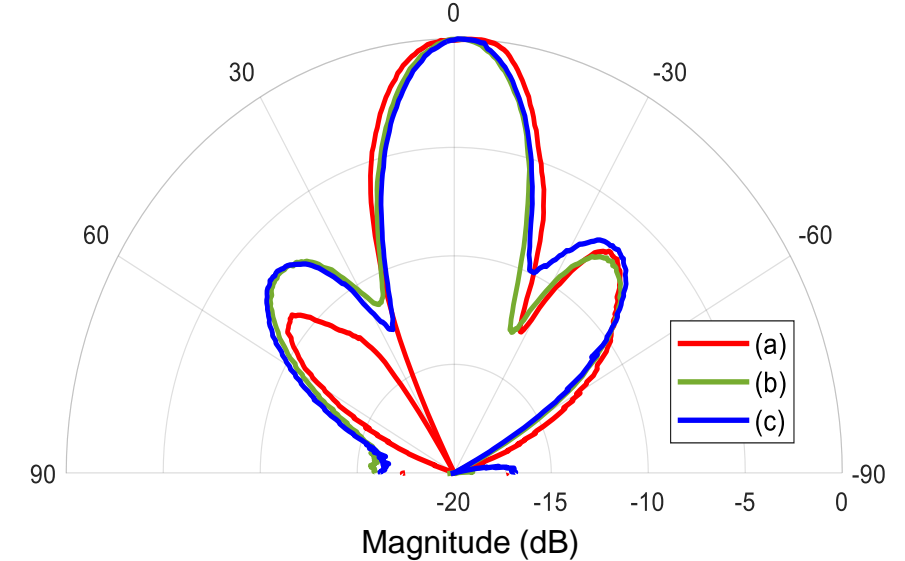


DUT	Custom built 4x4 Huixin Jin
Frequency	37.5 GHz
Signal Modulation BW	400 MHz
Signal Modulation Scheme	256 QAM, OFDM
Sub Carrier Spacing	120 kHz
Cyclic prefix Length	1/16 the FFT Length
Linearization Bandwidth	2 GHz
PAPR	9 dB
# Coefficients	35
Phase settings using in near-field DPD	Walsh-Hadamard matrix

**Coupling Coefficients are estimate over a span of 3 GHz with tone spacing of 2MHz**

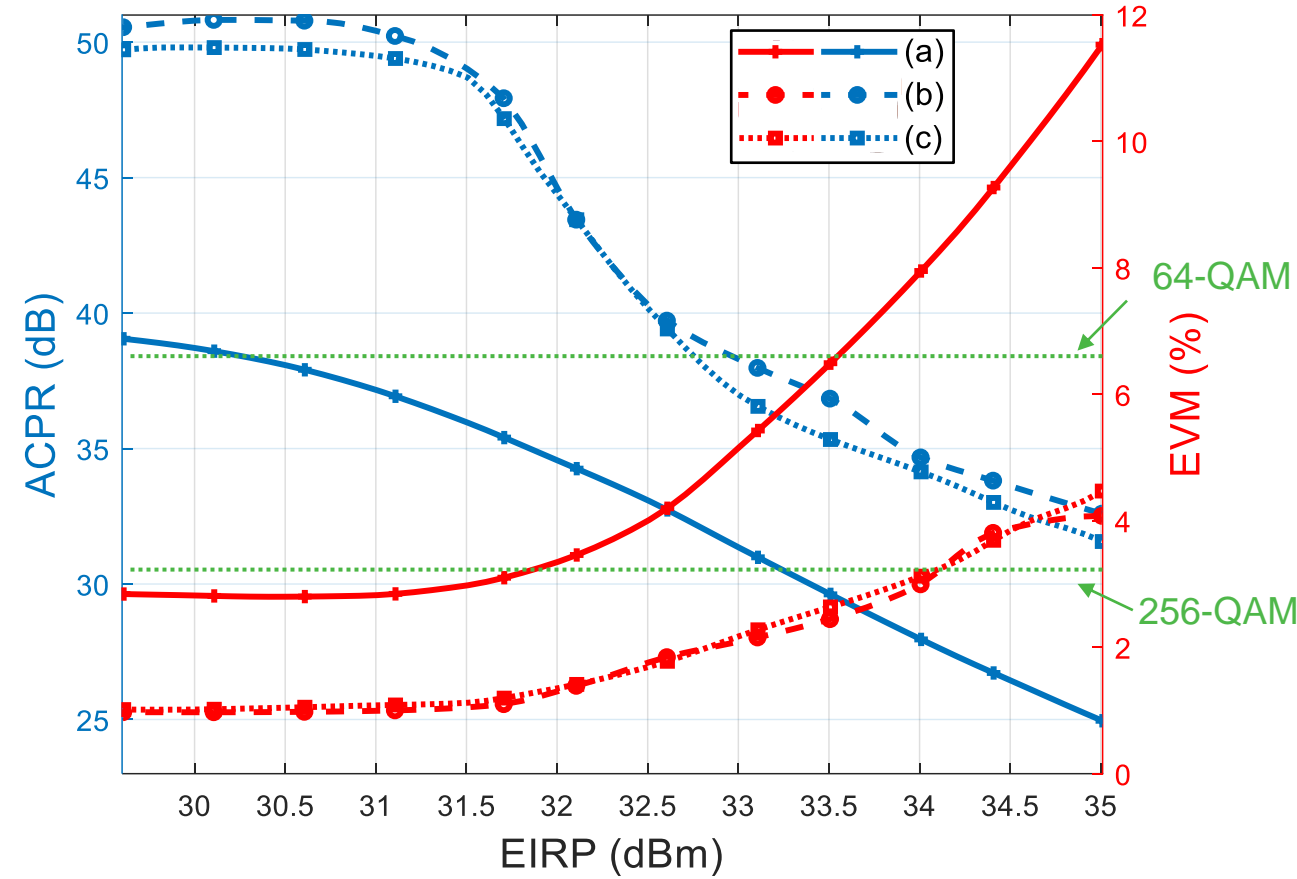
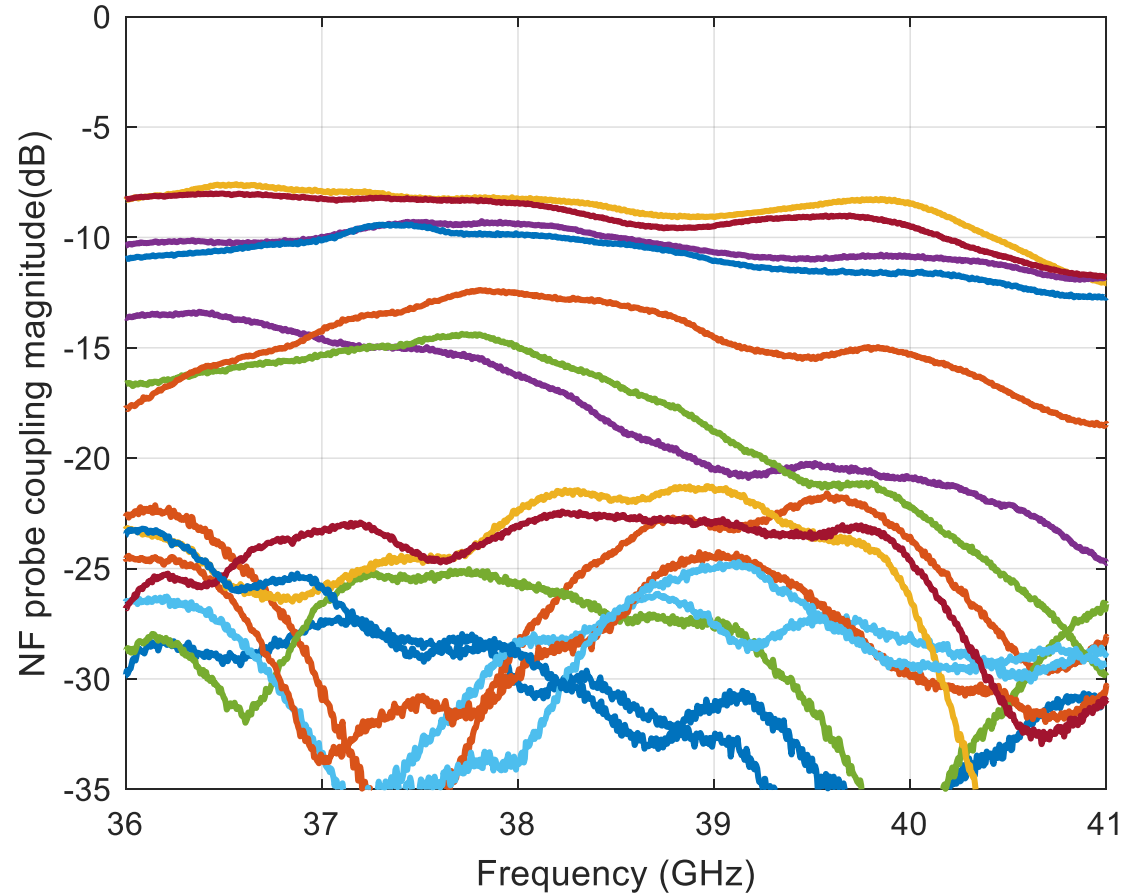


Measured rms magnitude (Left) and phase (right) errors versus phase shifter settings (8-bits): (a) before calibration, (b) after proposed calibration using NF probes, and (c) after element-wise calibration using a FF probe.



Measured radiation pattern with the array driven with a 400 MHz OFDM signal and the beam electrically steered from  $-90^\circ$  to  $90^\circ$ : (a) before calibration, (b) after proposed calibration using NF probes, and (c) after element-wise calibration using a FF probe.

# Measurement Results



**For 256-QAM signal, the application of DPD allowed for an increase of 2.5 dB in EIRP**



- In this work, an active array calibration technique and DPD training method that uses near-field probes have been presented
- The proposed calibration method can calibrate for beamforming-dependent errors in the array (i.e., phase dependent errors)
- The proposed calibration method was able to reduce the imbalance in the radiation pattern side-lobes by up to 2 dB and achieve comparable performance to element-wise far-field-based calibration
- The proposed near-field based DPD training method does not impose stringent requirements on the coupling flatness and can achieve similar linearization performance as far-field based DPD training

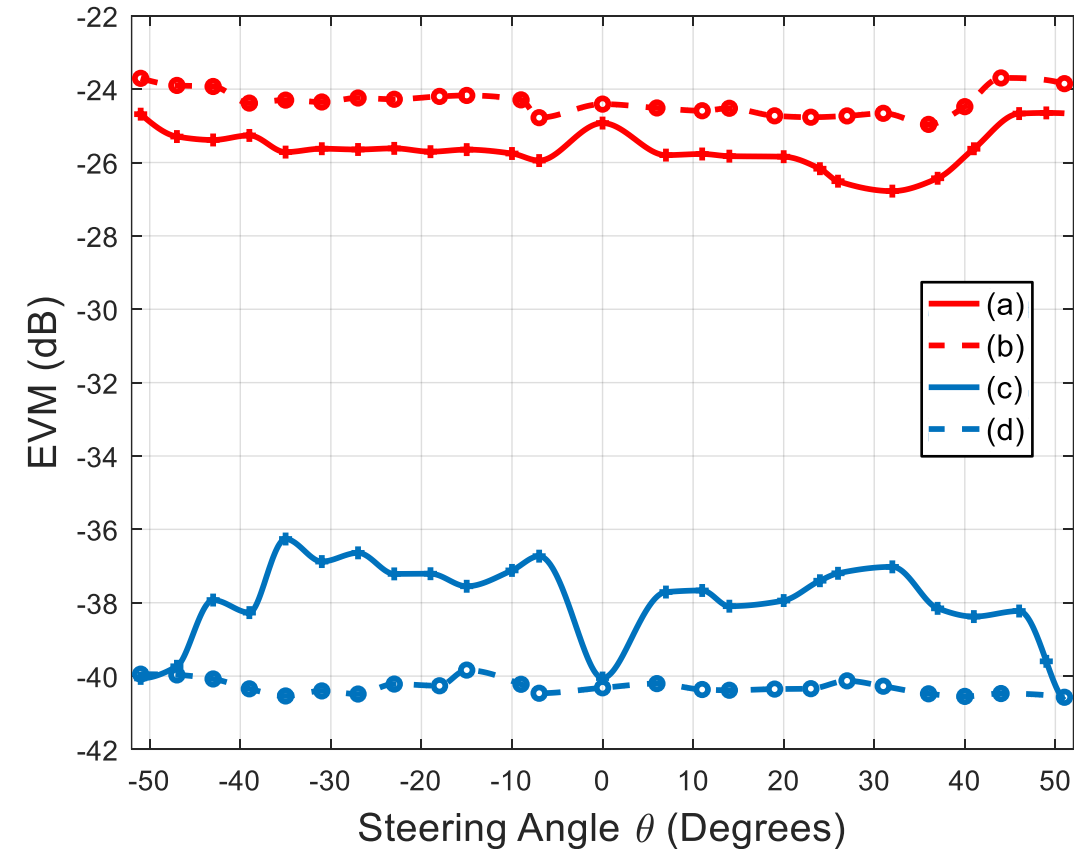
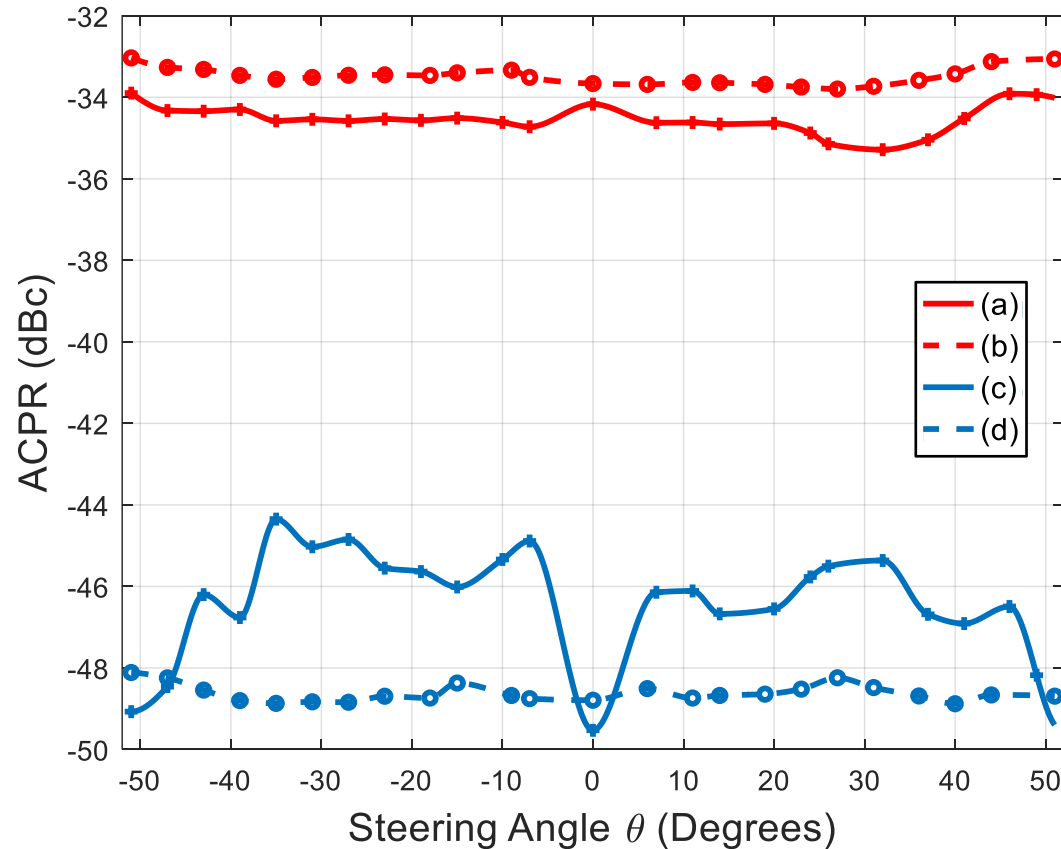


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- [1] A. B. Ayed, P. Mitran and S. Boumaiza, "Novel Algorithm to Synthesize the Tapering Profile for Enhanced Linearization of RF Beamforming Arrays Over a Wide Steering Range," in IEEE Transactions on Microwave Theory and Techniques, doi: 10.1109/TMTT.2023.3248151.
- [2] S.-C. Chae, H.-W. Jo, J.-I. Oh, G. Kim, and J.-W. Yu, "Coupler integrated microstrip patch linear phased array for self-calibration," IEEE Antennas Wireless Propag. Lett., vol. 19, no. 9, pp. 1615–1619, Sep. 2020.
- [3] Y. Aoki et al., "An intermodulation distortion oriented 256-element phased-array calibration for 5G base station," in IEEE MTT-S Int. Microw. Symp. Dig., Denver, CO, USA, Jun. 2022, pp. 518–521.
- [4] R. Murugesu, M. Holyoak, H. Chow, and S. Shahramian, "Linearization of mm-wave large-scale phased arrays using near-field coupling feedback for >10 Gb/s wireless communication," in IEEE MTT-S Int. Microw. Symp. Dig., Los Angeles, CA, USA, Aug. 2020, pp. 1271–1274.
- [5] A. Ben Ayed, Y. Cao, P. Mitran, and S. Boumaiza, "Digital predistortion of millimeter-wave arrays using near-field based transmitter observation receivers," IEEE Trans. Microw. Theory Techn., vol. 70, no. 7, pp. 3713–3723, Jul. 2022

Thank you!  
[abenayed@uwaterloo.ca](mailto:abenayed@uwaterloo.ca)



A. Ben Ayed, P. Mitran and S. Boumaiza, "Novel Algorithm to Synthesize the Tapering Profile for Enhanced Linearization of RF Beamforming Arrays Over a Wide Steering Range," in *IEEE Transactions on Microwave Theory and Techniques*, doi: 10.1109/TMTT.2023.3248151.