

TU04D-5

Incremental DPD Linearization for Mobile Terminals with Non-Flat Frequency Response in Dynamic Bandwidth Re-Allocation Scenarios

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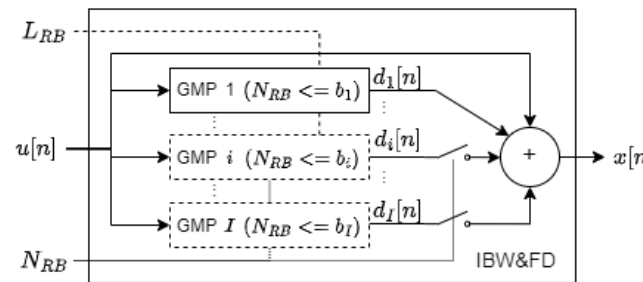
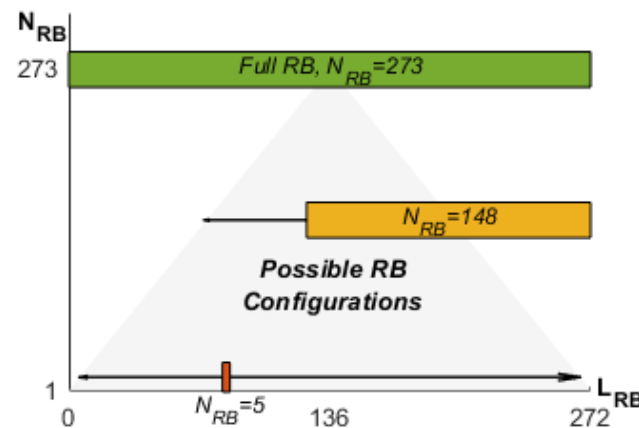
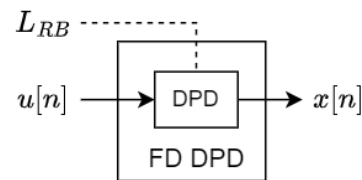
Components and Systems for
Communications Research Group

- **Introduction**
 - Dynamic RB Allocation in 5G NR Applications.
 - RF PA under Non-Flat Frequency Response.
- **Incremental Bandwidth (IBW) Linearization**
 - Incremental Bandwidth DPD Model
 - Constrained DOMP for IBW GMP Basis Selection
- **Experimental Setup and Results**
- **Conclusion**

- 5G NR RB Reallocation Scenario: Dynamic RB location & number, assuming fixed F_c .
- For dynamic RB location (i.e., **frequency**), we propose the **FD DPD** (presented in RWW 2023).
- For dynamic RB number (i.e., **bandwidth**), we propose the **IBW DPD** (this work).

Dynamic Frequency

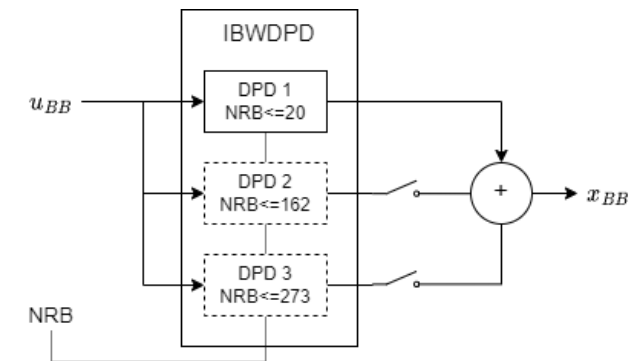
- For narrow-band signals.
- Less memory effects.
- FD nonlinearity.
- Coefficient interpolatable.
(e.g., FDMP/FDP model)



IBW & FD

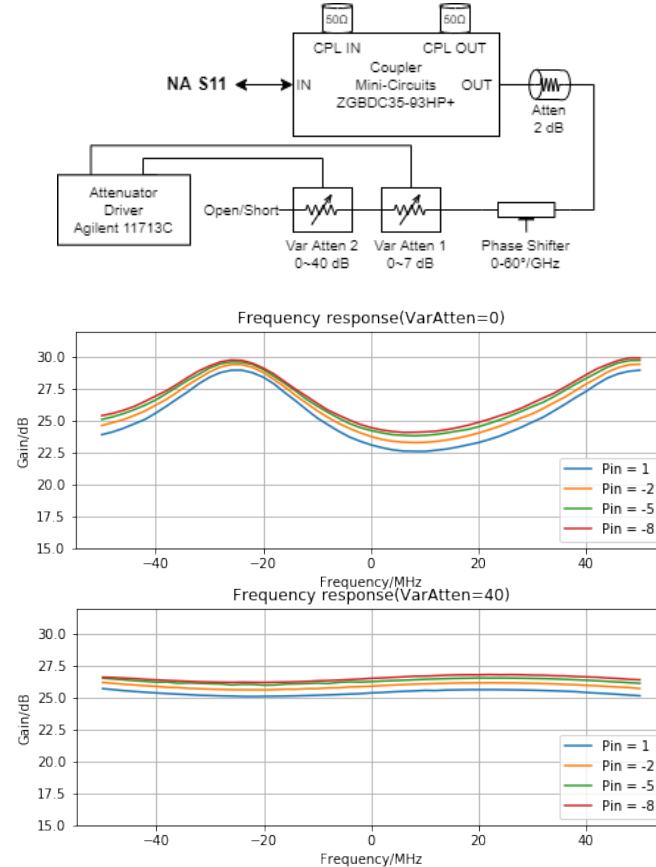
Dynamic Bandwidth

- Simple model for narrow-band.
- Introduce more basis for wide-band.
- Complexity for implementation.
- Prefer an incremental model.

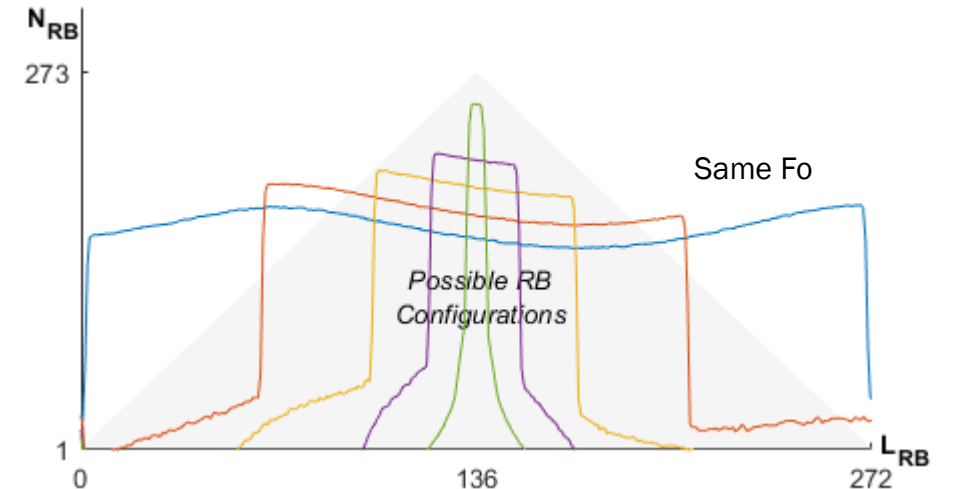
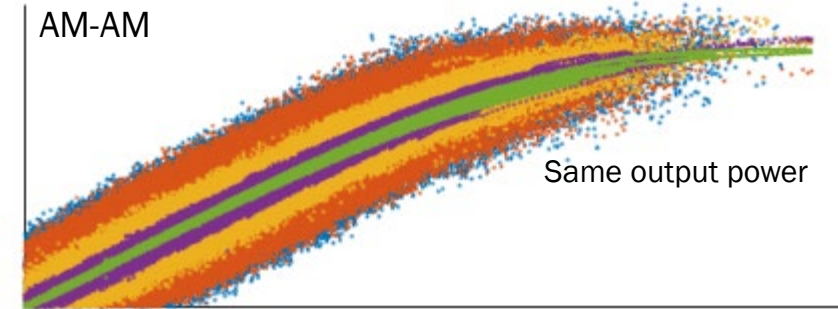


Introduction

- Mobile-terminal PAs usually work under large load-mismatched conditions.



Load-mismatched Creation



Consequence of different bandwidth

Objective: Make the DPD model incremental with bandwidth,

- by appending new basis,
- with fixed coefficients.

Assuming: the additive distortion is orthogonal to the previous basis functions.

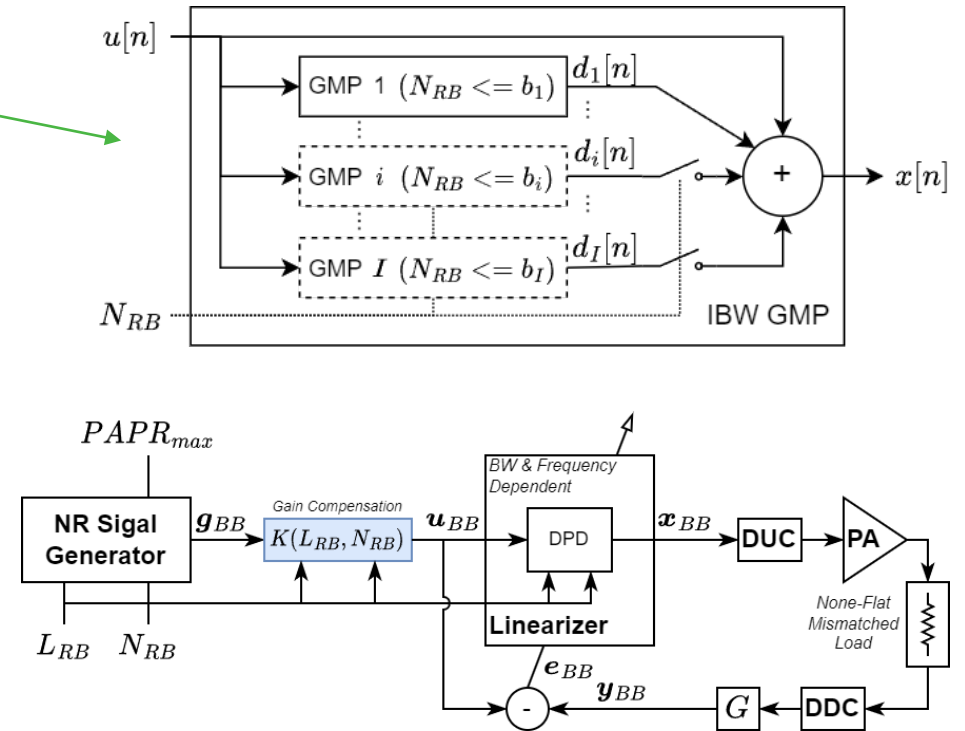
Based on GMP:
$$d_i[n] = \sum_{k_i=1}^{K_i} w_{k_i} u[n - \tau_{k_i}] |u[n - \tau_{k_i} - \sigma_{k_i}]|^{p_{k_i}}$$

Predistortion Signal:
$$x[n] = u[n] - \sum_{i=1}^I d_i[n]$$

Narrow-band error:
$$e_1[n] = u[n] - y[n]$$

IBW error:
$$e_i[n] = u[n] - y[n] - \sum_{j=1}^{i-1} d_j[n]; (i > 1)$$

IBW Coefficients:
$$\mathbf{w}_i^{k+1} = \mathbf{w}_i^k + \mu(\mathbf{U}_i^H \mathbf{U}_i)^{-1} \mathbf{U}_i^H \mathbf{e}_i$$



- Define I bandwidth configurations and the boundaries. (e.g., {10, 40, 80, 162, 273})
- Selects basis incrementally with BW by DOMP.
- Allowing reselection to retrain significant basis.

Algorithm 1 IBW Constrained DOMP

```

1: procedure IBWDOMP( $M, U, y$ )
2:    $M^* \leftarrow \{\}, i \leftarrow 1, e \leftarrow y, w \leftarrow ()$ 
3:   while  $i \leq I$  do
4:      $M_i \leftarrow \{\}, e_i \leftarrow e_{\{i\}}, Z_i \leftarrow U_{\{i\}}$ 
5:     repeat
6:        $\varphi_{\{j\}} \leftarrow \frac{\forall j}{\|Z_i\{j\}\|_2} e_i$ 
7:        $j^* \leftarrow \text{pursuit}(M^*, M_i, M, \varphi)$ 
8:        $M_i \leftarrow M_i \cup M_{\{j^*\}}$ 
9:        $\sigma \leftarrow Z_i^H Z_i$ 
10:       $Z_i \leftarrow Z_i - \sigma \otimes Z_i\{j^*\}$ 
11:       $U_* \leftarrow U_i[M_i]$ 
12:       $w_i \leftarrow (U_*^H U_*)^{-1} U_*^H y_i$ 
13:       $e_i \leftarrow y_i - U_* w_i$ 
14:    until stopping criterion is met
15:     $M^* \leftarrow M^* \cup M_i$ 
16:     $U_* \leftarrow U[M^*]$ 
17:     $w \leftarrow (w^T, w_i^T)^T$ 
18:     $e \leftarrow y - U_* w$  <- IBW residual error
19:     $M \leftarrow M_{\notin M_i}$  > only if not allowing re-selection
20:     $i \leftarrow i + 1$ 
21:  end while
22:  return  $M^*$ 
23: end procedure

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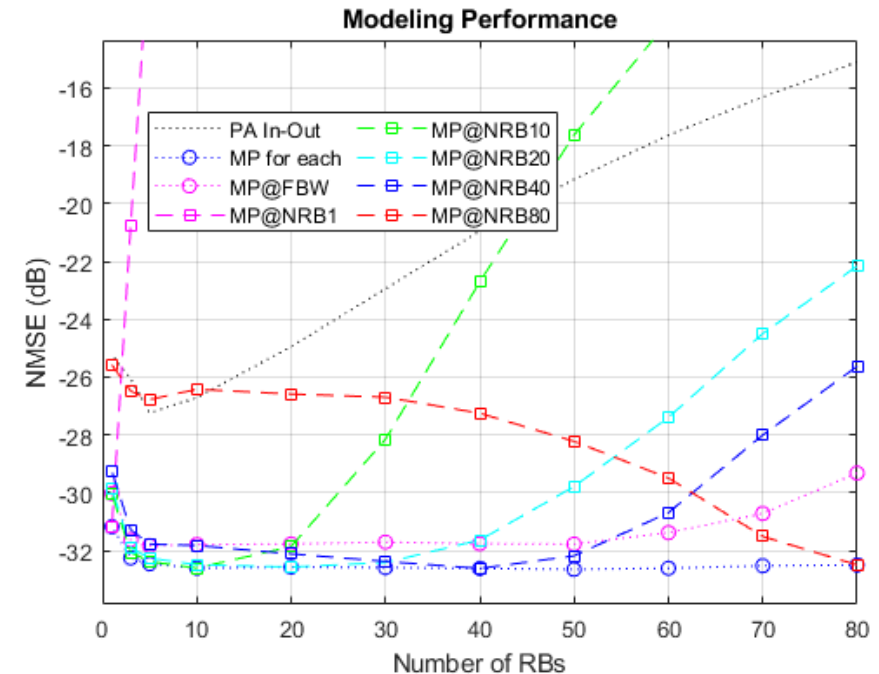
* The i here represents different BW

Algorithm 2 Greedy selection with memory preference

```

1: procedure PURSUIT( $M^*, M_i, M, \varphi$ )
2:    $P^* \leftarrow M^*\{\tau, \sigma\} \cup M_i\{\tau, \sigma\}, P \leftarrow M^*\{\tau, \sigma\}$ 
3:    $\varphi_n \leftarrow \frac{\varphi - \min(\varphi)}{\max(\varphi - \min(\varphi))}$ 
4:    $\varphi_s, s_{id} \leftarrow \frac{\forall \varphi_n > \gamma}{\text{sort}_{\text{desc}}(\varphi_n)}$  <- Score threshold
5:    $P_s \leftarrow P\{s_{id}\}$ 
6:   if  $P_s \cap P^* \neq \emptyset$  then <- Memory preference
7:      $j \leftarrow 0$ 
8:     repeat
9:        $j \leftarrow j + 1$ 
10:       $j^* \leftarrow s_{id}(j)$ 
11:    until  $P_s\{j\} \in P^*$ 
12:   else
13:      $j^* \leftarrow s_{id}(1)$ 
14:   end if
15:   return  $j^*$ 
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↑ Clues for defining the IBW boundaries.

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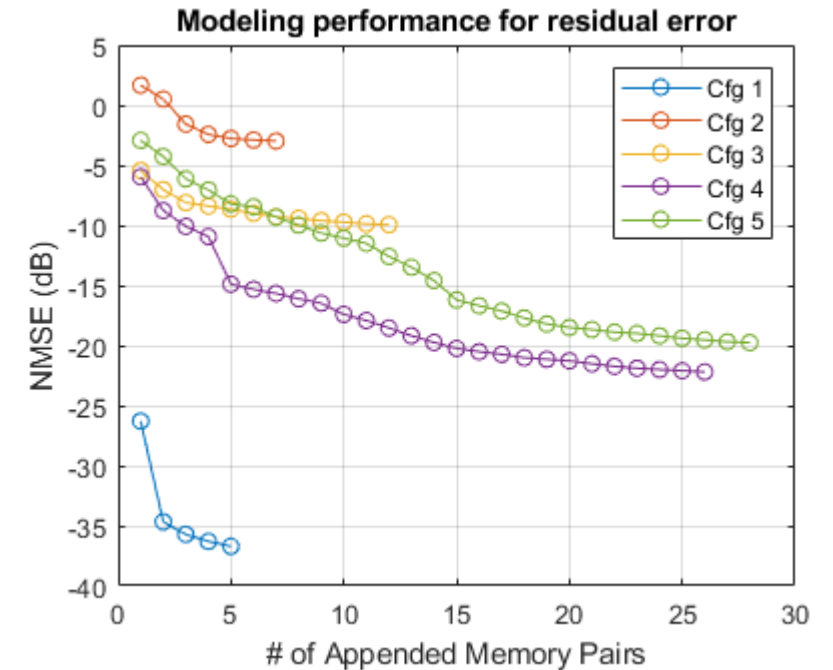
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Algorithm 2 Greedy selection with memory preference

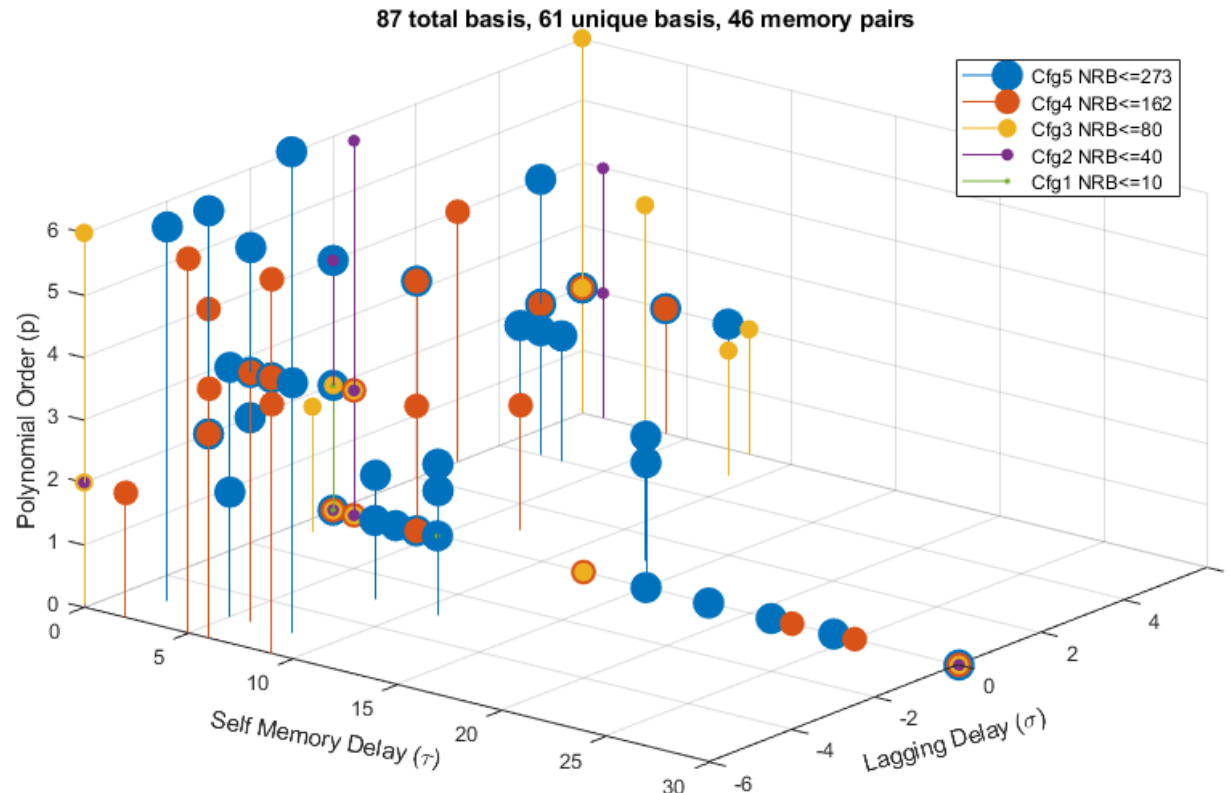
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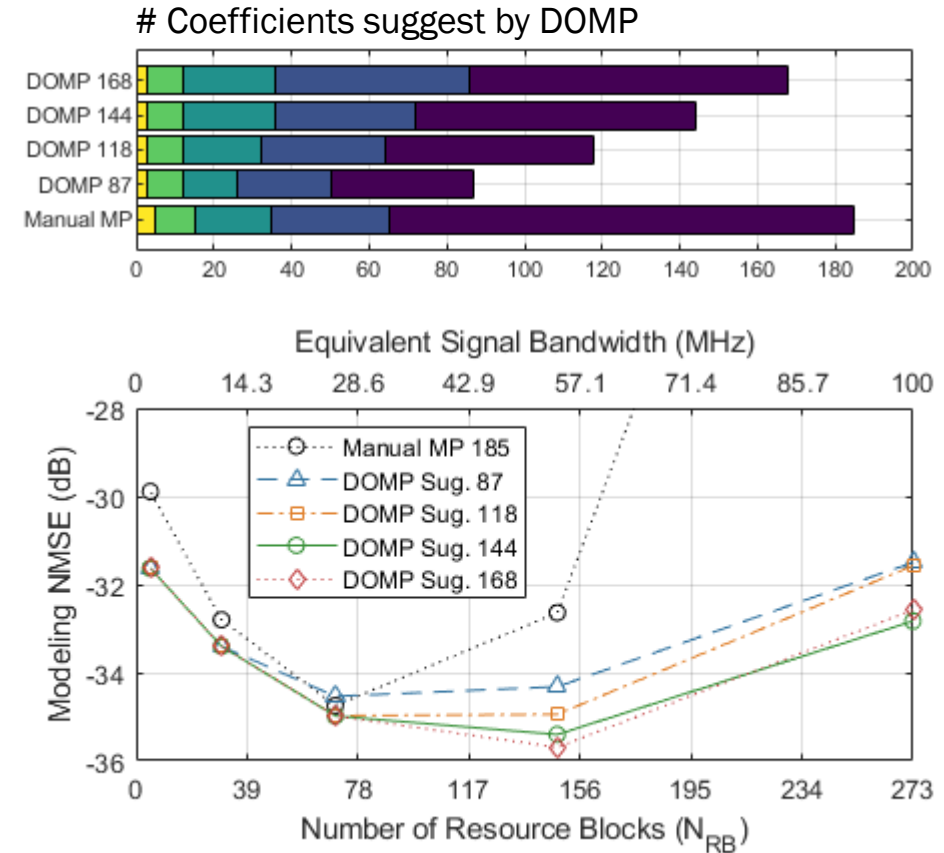
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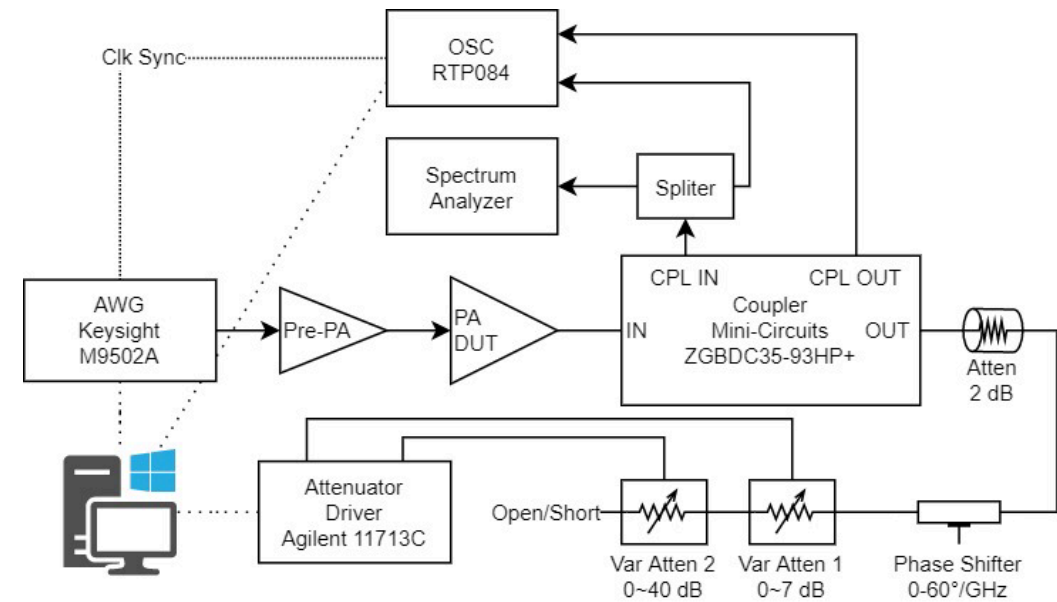
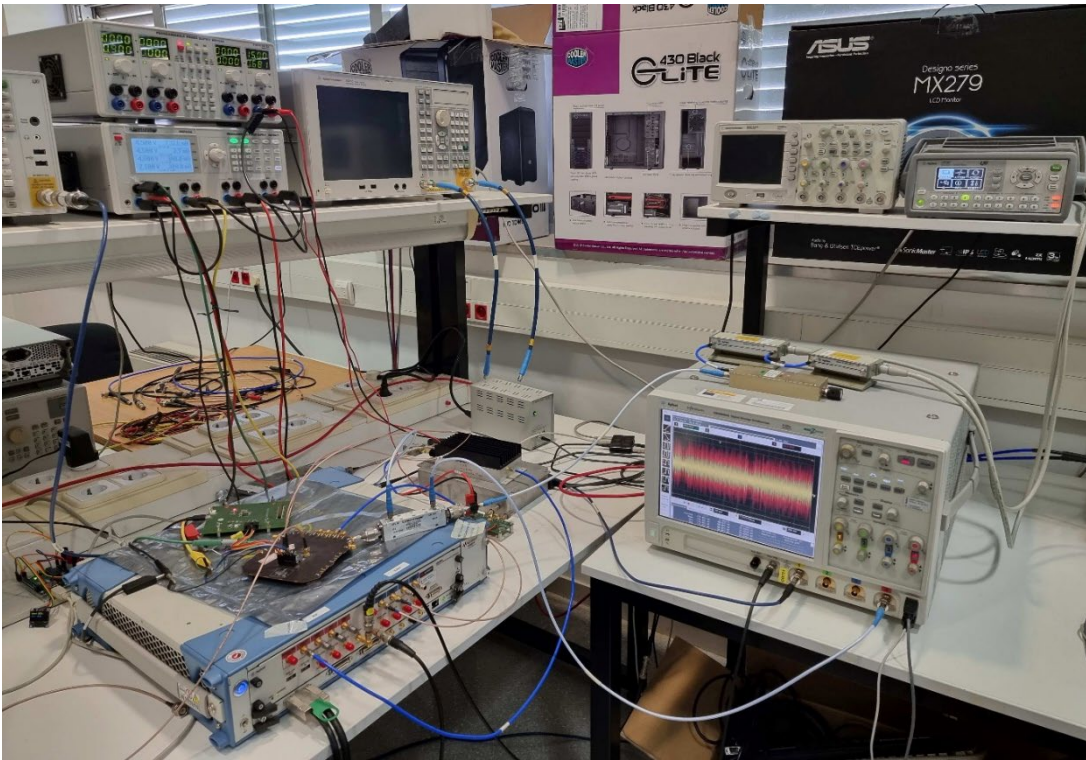
- Here shows the modeling results by the IBW DOMP.

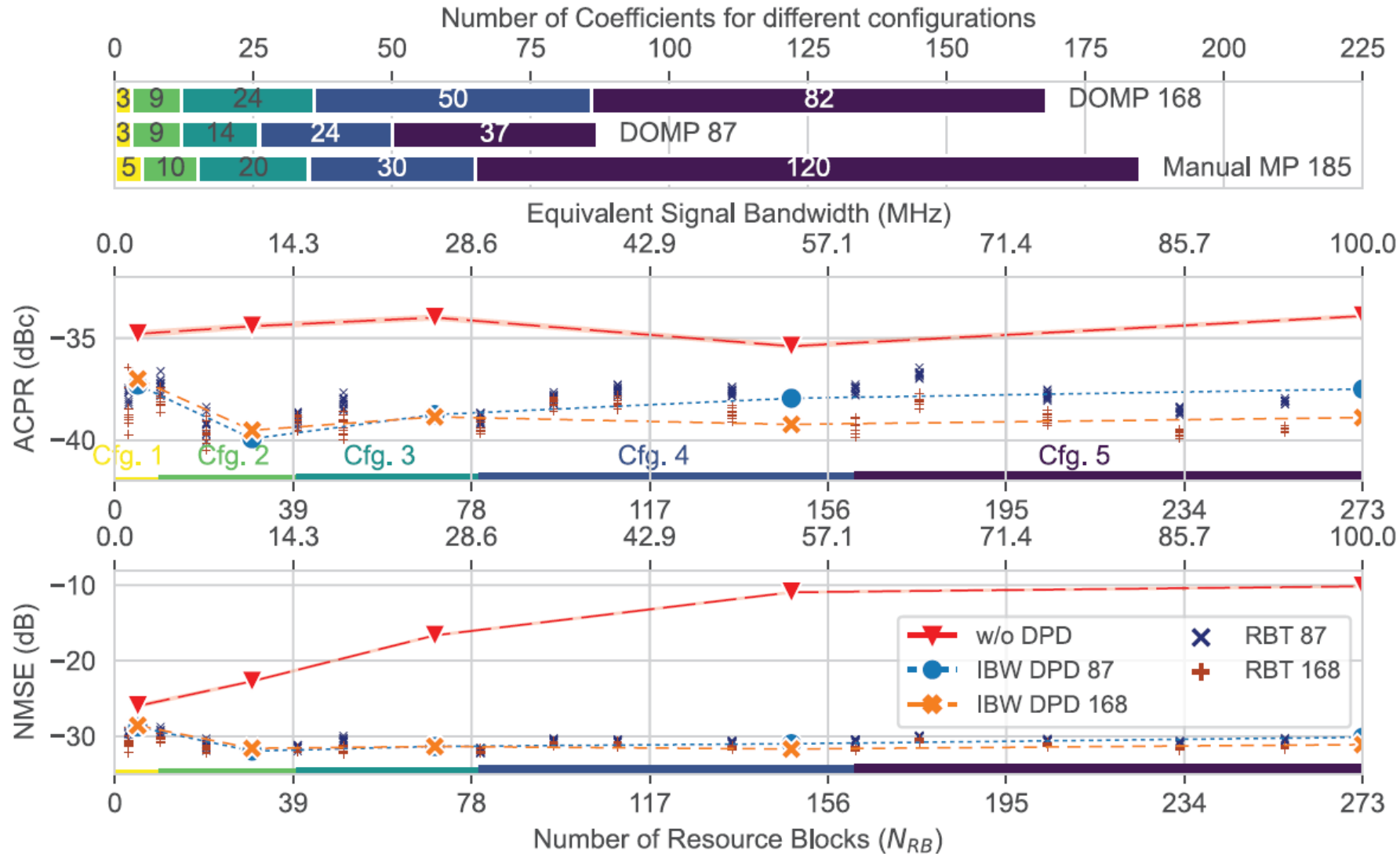


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- The PA DUT is a SoC solution for handset provided by Huawei Hisilicon.
- Variable attenuator controls the power of reflected wave to have a desired VSWR.
- Phase shifter controls the phase of the reflected wave.

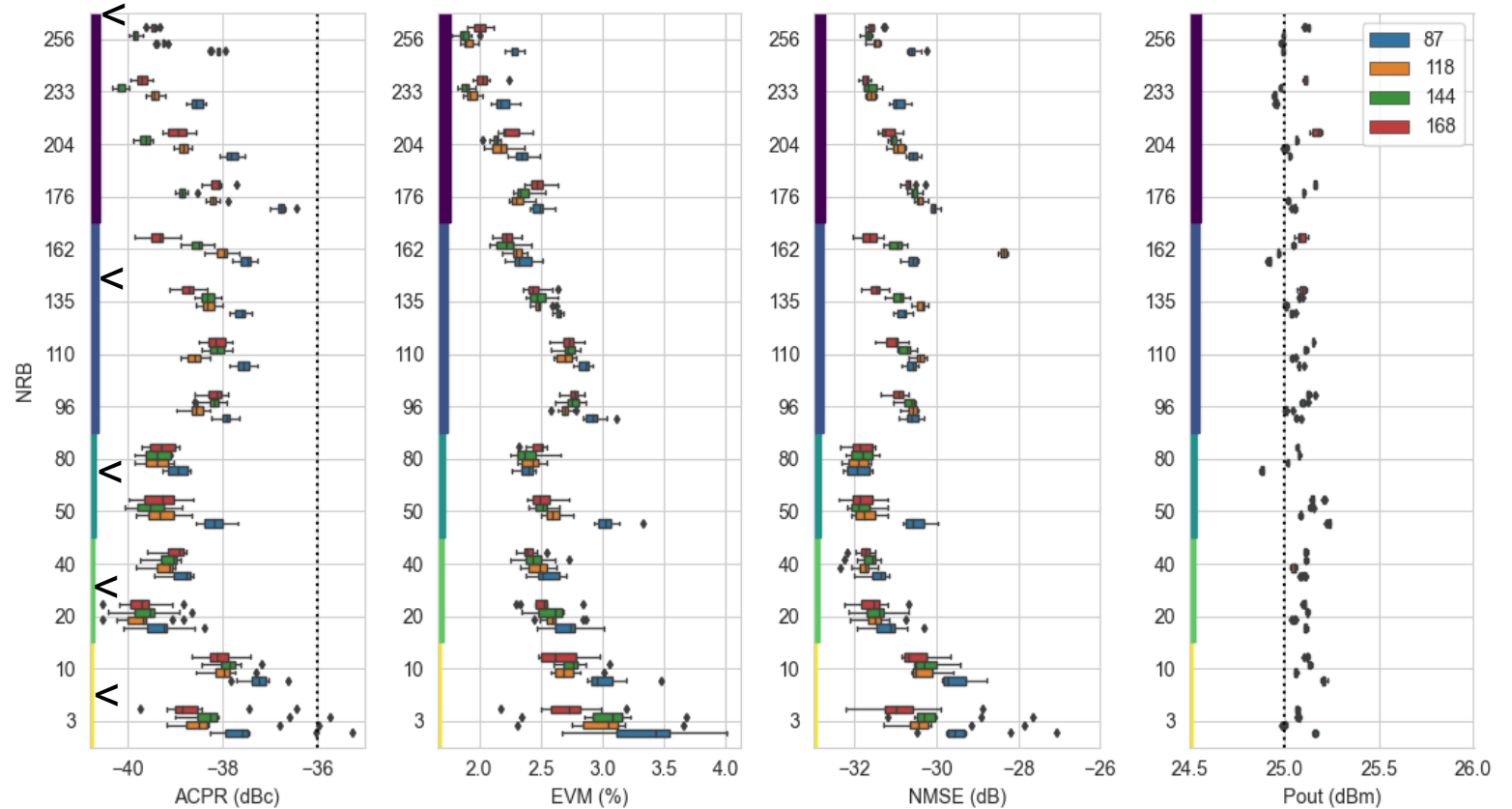
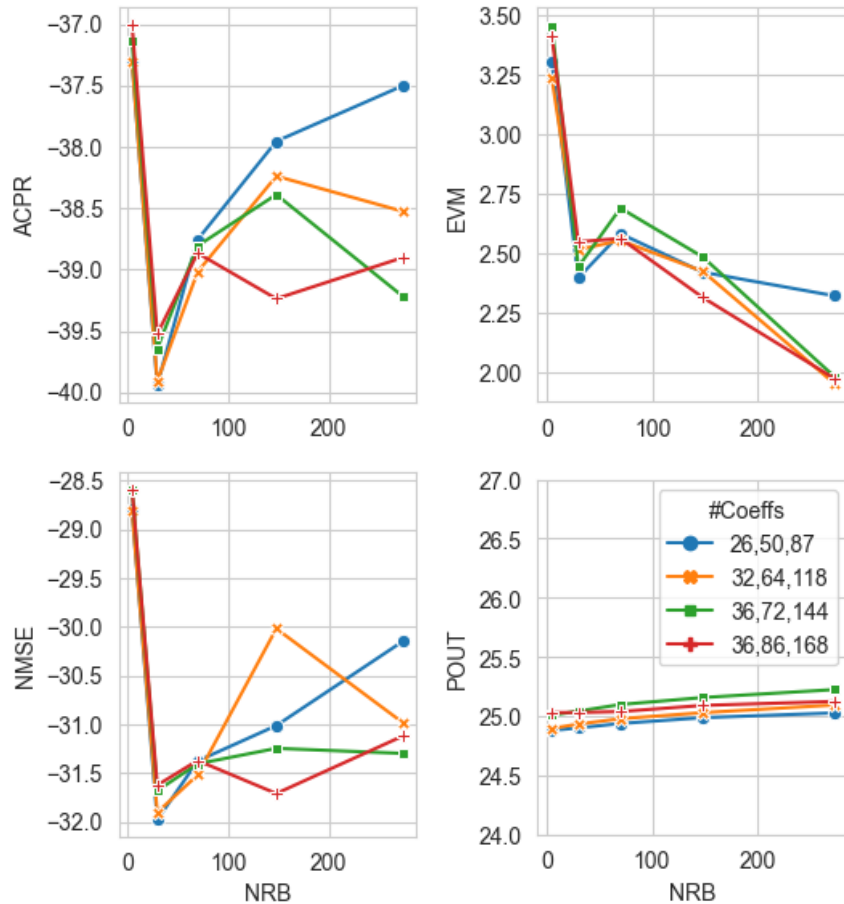




$$N_{RB, \text{train}} = \{5, 30, 70, 148, 273\}$$

$$B = \{10, 40, 80, 162, 273\}$$

- Performance can be improved by using more coefficients for higher bandwidth.
- In the following test, we fix the coefficients for the first 2 configurations ($\{3, 9\}$ Coeffs.).
- For the 3rd, 4th and 5th configurations, we use different number of coefficients.



Summary

- We presented the IBW DPD model.
- The constrained DOMP for IBW GMP basis selection:
 - To maximize the orthogonality between the basis and the IBW residual error.
 - Flexible to trade-off the number of basis for linearization performance.
- Tested under un-matched condition and different bandwidth.
 - The IBW DPD can work for the whole 100 MHz channel.
 - It can pass the robustness test with different signals.
- **Future work:**
 - Combine FD and IBW to support both dynamic frequency and bandwidth.

Acknowledgement



MICINN and FEDER under project PID2020-113832RB-C21.



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Thank you.