

We1H-6

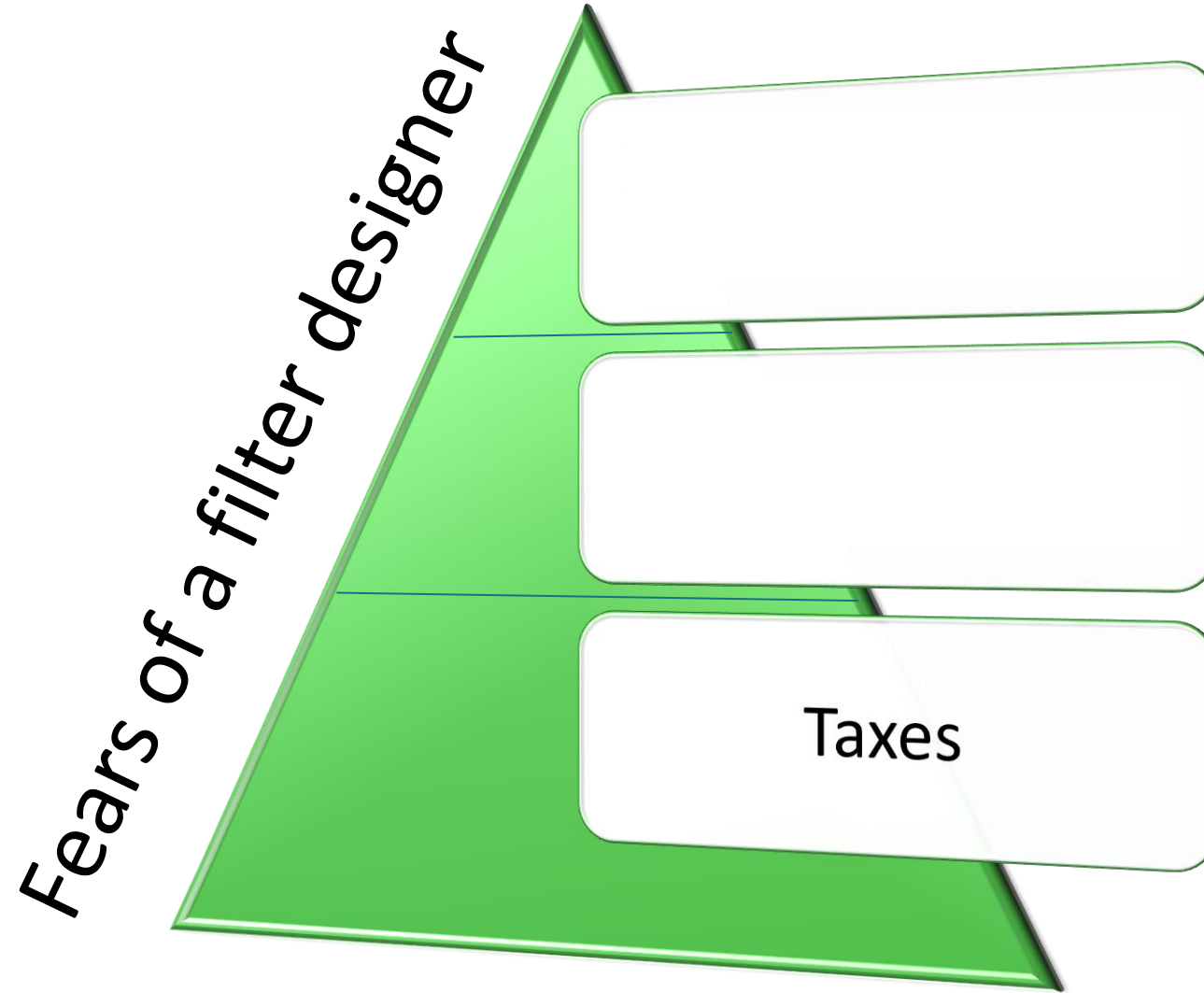
Synthesis of Simplified Cross Coupled Blocks with All Positive Couplings

Stefano Tamiazzo[§], Giuseppe Macchiarella[#],
Matteo Oldoni[#]

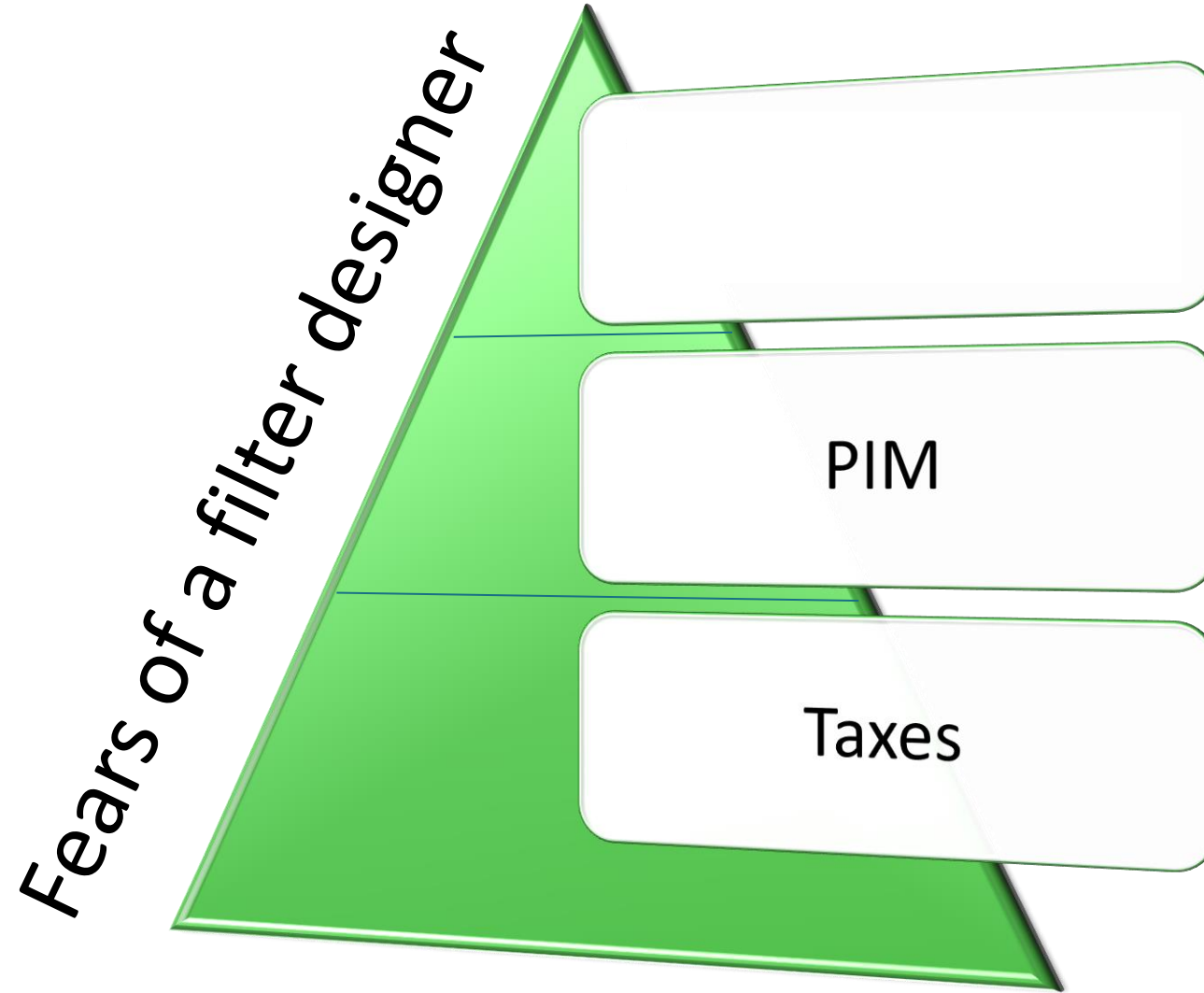
§ **COMMSCOPE[®]**
now meets next

 **POLITECNICO**
MILANO 1863  **DIPARTIMENTO DI ELETTRONICA
INFORMAZIONE E BIOINGEGNERIA**

Rationale



Rationale



Rationale

Fears of a filter designer

Negative Coupling
Coefficients

PIM

Taxes



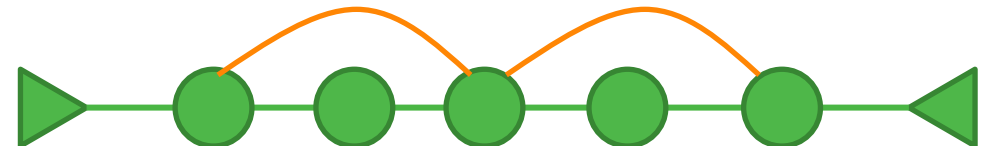
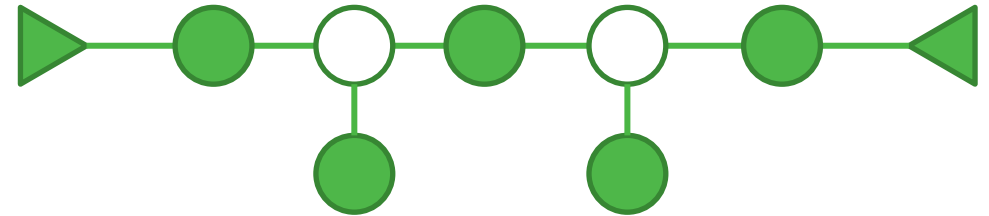
Outline

- Problem Statement
- Proposed Solution
- Examples and Conclusions

- **Problem Statement**
- Proposed Solution
- Examples and Conclusions

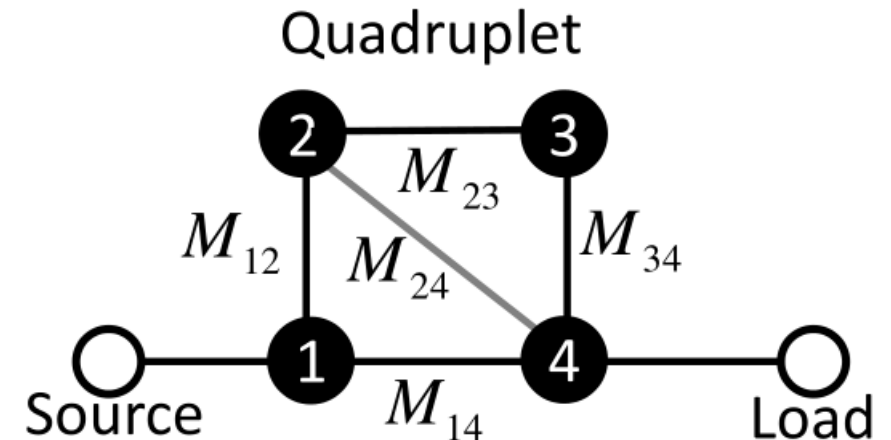
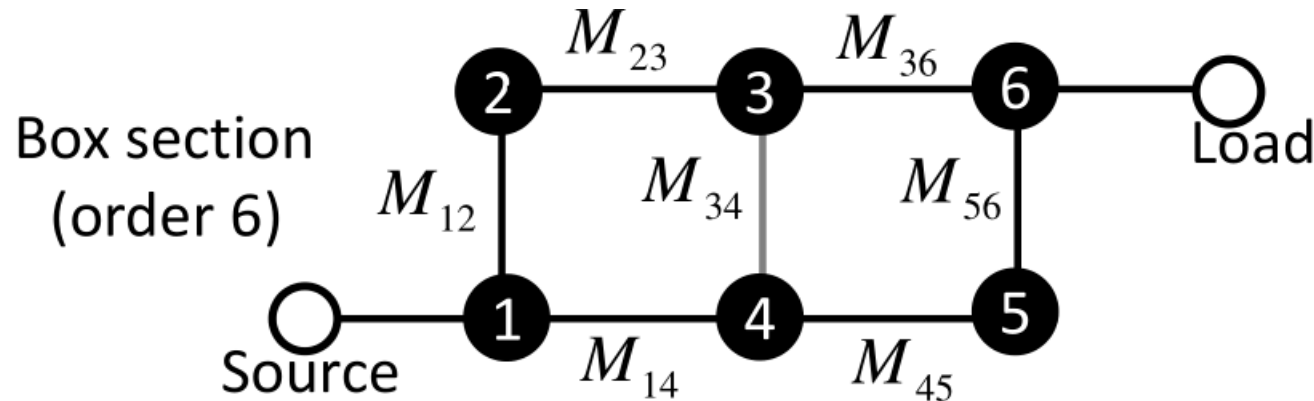
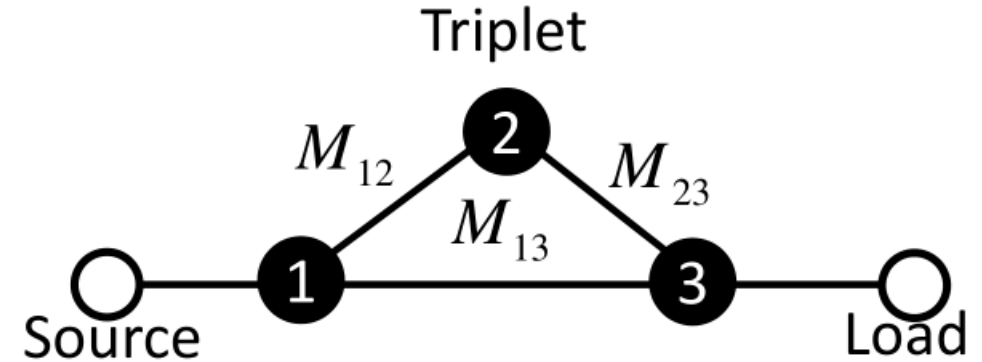
Problem Statement

- Generalized Chebychev response
- Inline Structures
- Finite Transmission Zeros
 - Non-resonant nodes
 - Frequency-variant coupling
 - Cross-coupling
(various cross-coupled sections)
- TZs below the passband
 - Negative cross-coupling!



Problem Statement

- Degrees of freedom needed
- Exploit alternative response
- Constrain sign of cross-couplings
- Simplify topology, if possible

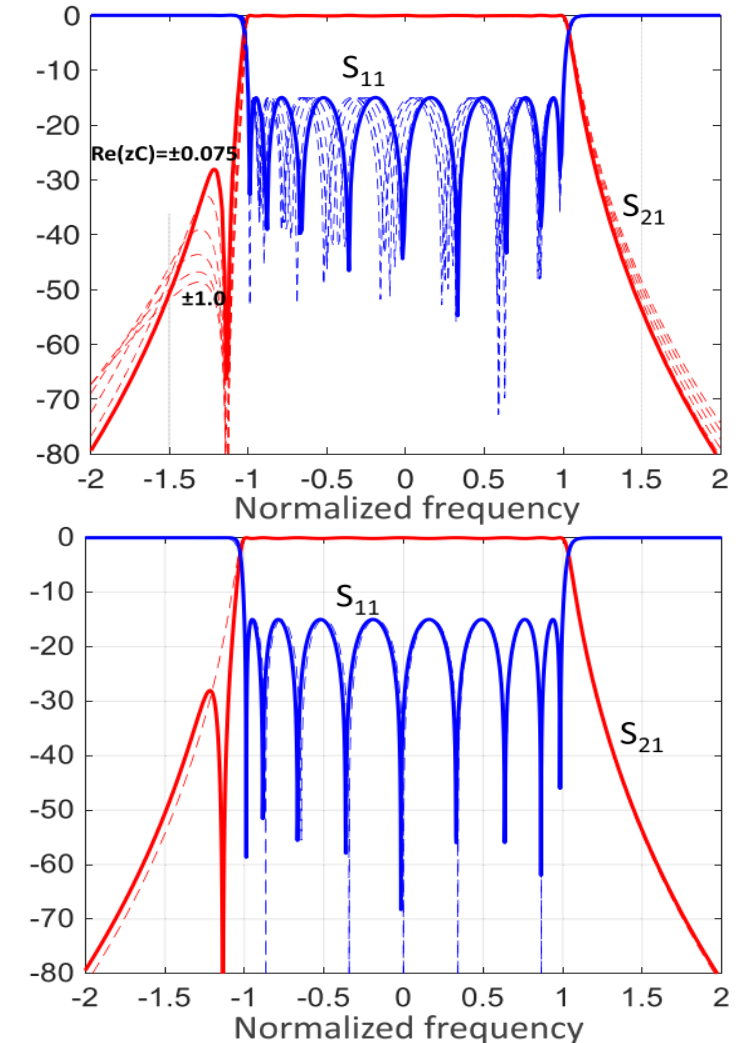


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- **Proposed Solution**
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Proposed Solution

- Alternative response:
Reduced Chebychev of order N
 - TZs can be placed
 - M complex reflection zeros can be placed
 - Equiripple passband response obtained
 - Other $N-M$ RZs and N poles are computed
 - Out-of-band atten.: $(N-M)$ -order filter
- $2M$ real degrees of freedom available!



Proposed Solution

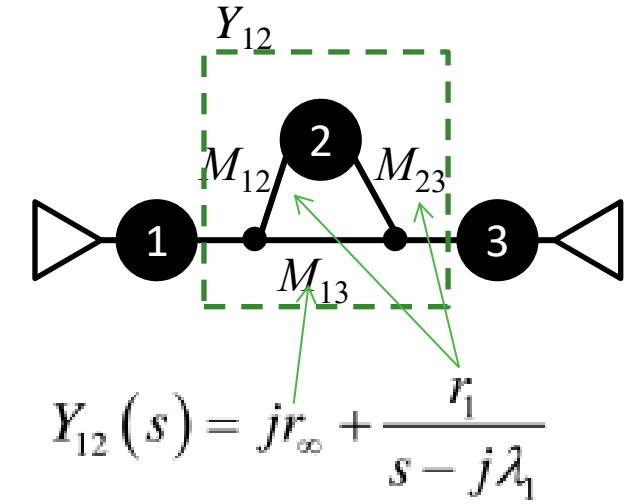
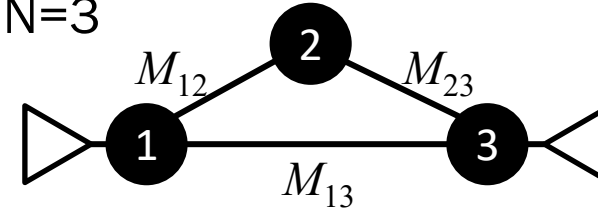
- Given: N , passband RL, TZs
- Place 1 complex reflection zero
- Compute the Reduced Chebychev response
- Synthesize the filter
- Verify sign of cross-coupling

- Sweep the position of the free complex reflection zero (CRZ)
- Map cross-coupling vs CRZ

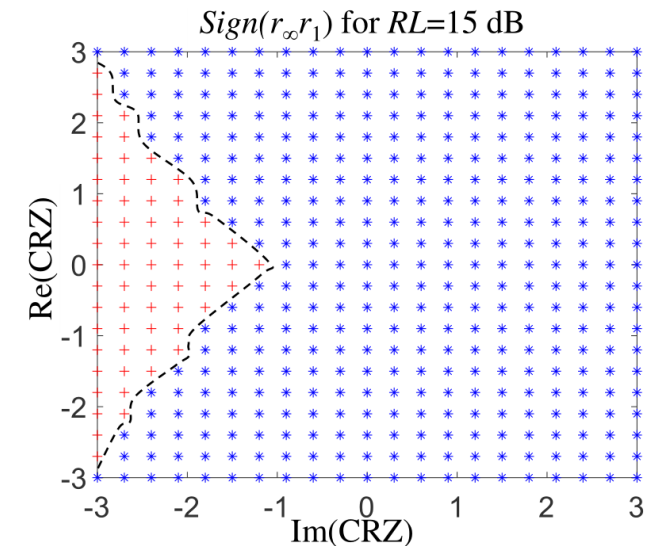
Proposed Solution

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For N=3



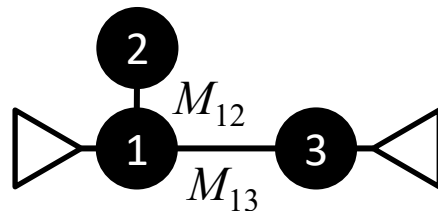
- Extract the outer resonators
- The remainder has trans-admitt.: $Y_{12}(s) = jr_{\infty} + \frac{r_1}{s - j\lambda_1}$
- All positive or all negative if $r_{\infty} r_1 > 0$ (If all negative, can be reversed)
→ Im(CRZ) below passband!



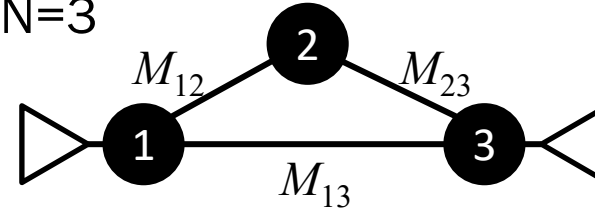
Proposed Solution

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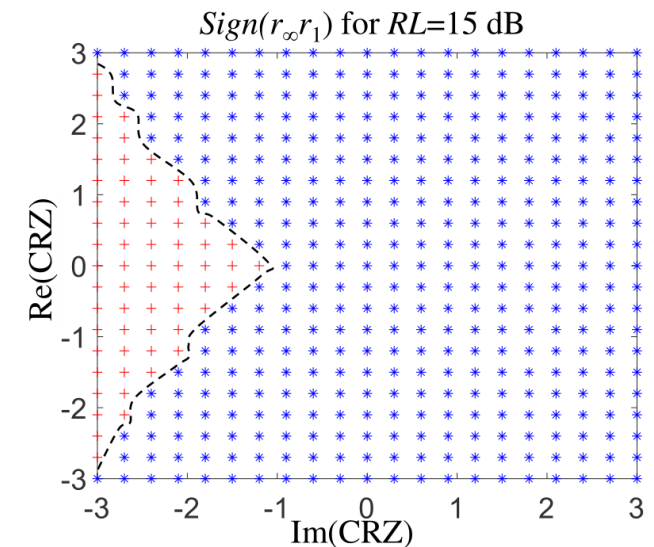
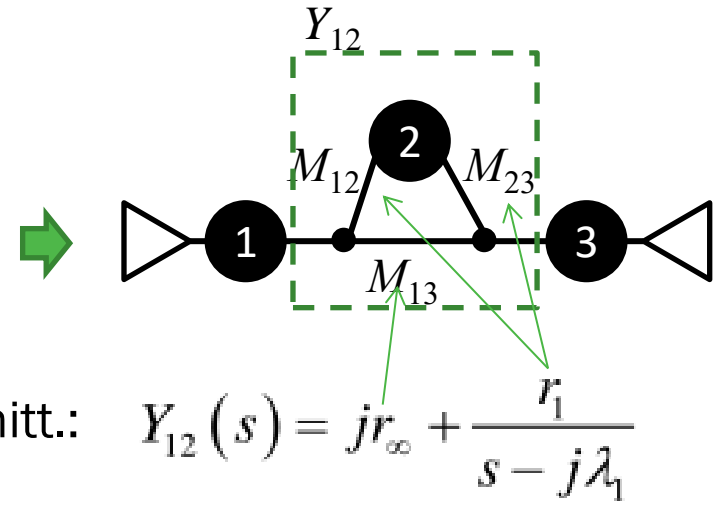
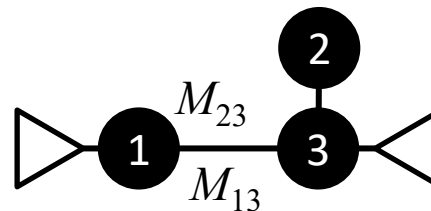
3 resonators
1 finite TZs
2 imaginary RZs
1 complex RZ



For N=3



- Extract the outer resonators
- The remainder has trans-admitt.: $Y_{12}(s) = jr_{\infty} + \frac{r_1}{s - j\lambda_1}$
- All positive or all negative if $r_{\infty} r_1 > 0$ (If all negative, can be reversed)
→ Im(CRZ) below passband!
- On the boundary:
 $r_{\infty} r_1 = 0$
Either M_{12} or $M_{13} = 0$!
→ Degenerate triplet

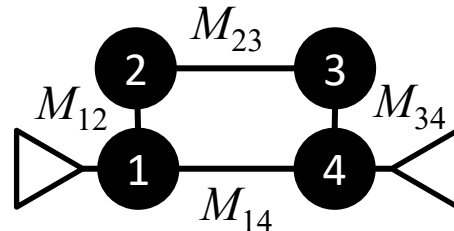


Proposed Solution

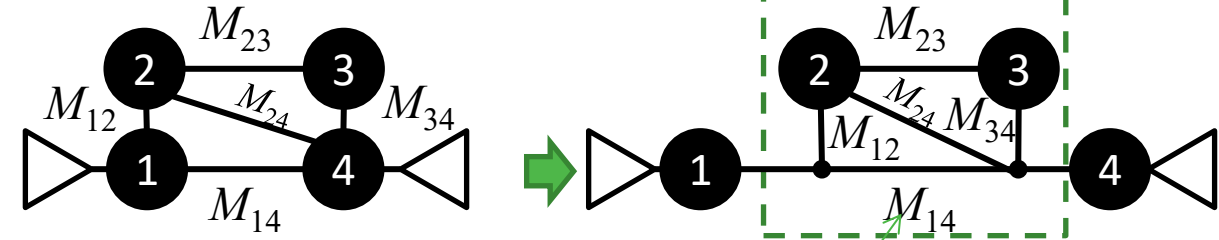
- Given: N, passband RL,TZs
- Place 1 complex reflection zero
- Compute the Reduced Chebychev response
- Synthesize the filter
- Verify sign of cross-coupling

- Sweep the position of the free complex reflection zero (CRZ)
- Map cross-coupling vs CRZ

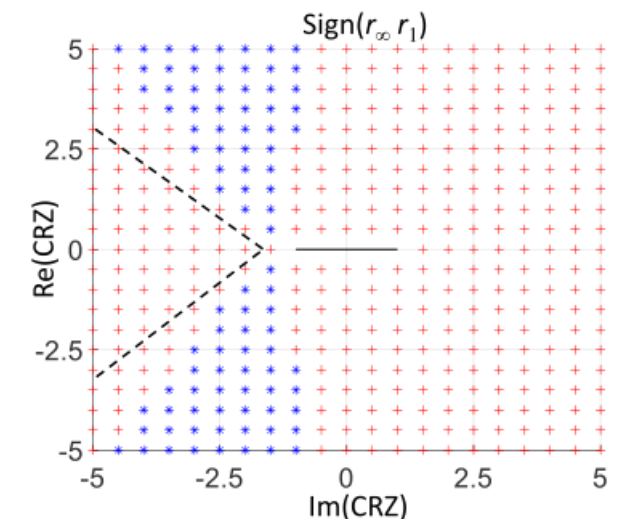
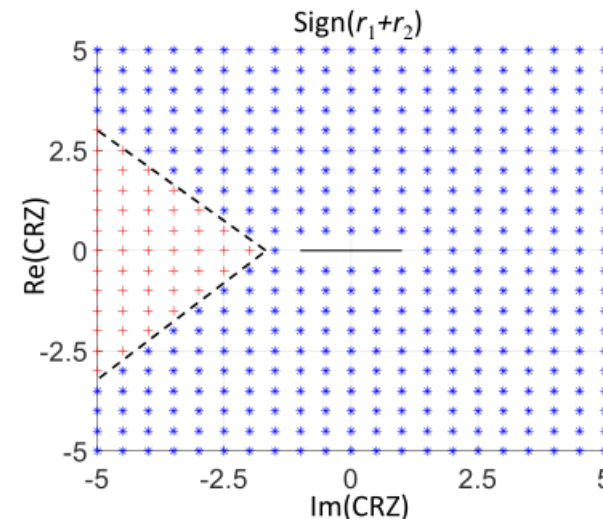
5 resonators
2 finite TZs
3 imaginary RZs
1 complex RZ



For N=4



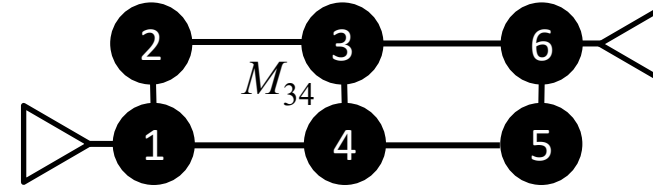
- Extract the outer resonators
- The remainder has trans-admitt.: $Y_{12}(s) = jr_{\infty} + \frac{r_1}{s - j\lambda_1} + \frac{r_2}{s - j\lambda_2}$
- Uniform signs: $r_{\infty} r_1 > 0$
- Degenerate topology ($M_{24}=0$): $r_1 = -r_2$



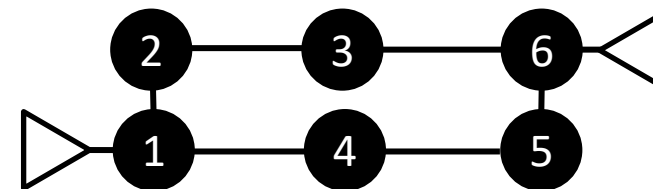
Proposed Solution

- Given: N, passband RL, TZs
- Place 1 complex reflection zero
- Compute the Reduced Chebychev response
- Synthesize the filter
- Verify sign of cross-coupling
- Sweep the position of the free complex reflection zero (CRZ)
- Map cross-coupling vs CRZ

For N=6



- Extract the outer resonators (1, 6)
- The remainder has: $Y_{12}(s) = \frac{r_1}{s - j\lambda_1} + \frac{r_2}{s - j\lambda_2} + \frac{r_3}{s - j\lambda_3} + \frac{r_4}{s - j\lambda_4}$
- Conditions:
 - Uniform signs: $r_1 r_3 > 0$ or $r_1 r_2 > 0$
 - Degenerate topology ($M_{34}=0$): $r_1 = -r_2$ or $r_1 = -r_3$ or $r_1 = -r_4$
 - Depend on position of the two zeros



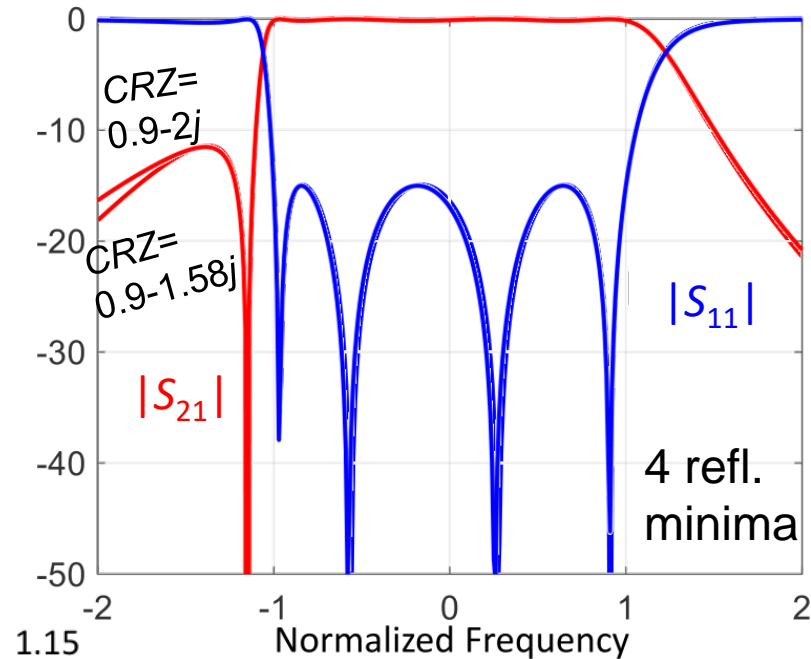
6 resonators
2 finite TZs
5 imaginary RZs
1 complex RZ

Outline

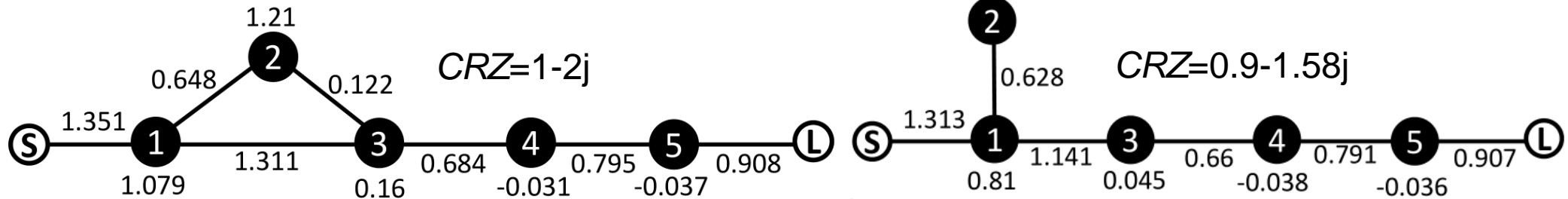
- Problem Statement
- Proposed Solution
- **Examples and Conclusions**

Examples: Triplet

- The CRZ region for uniform signs depends on the position of the triplet
- Synthesis:
 - Decide the topology (sequence of extractions)
 - Place the CRZ and compute Reduced Chebychev response
 - Extract everything else but the triplet
 - Check the condition on the residuals of trans-admittance
 - Sweep the CRZ and build the map
- Empirically: largest region when triplet on source or load
- Non-degenerate and degenerate topologies



N=5
RL=15dB
TZ=-1.1

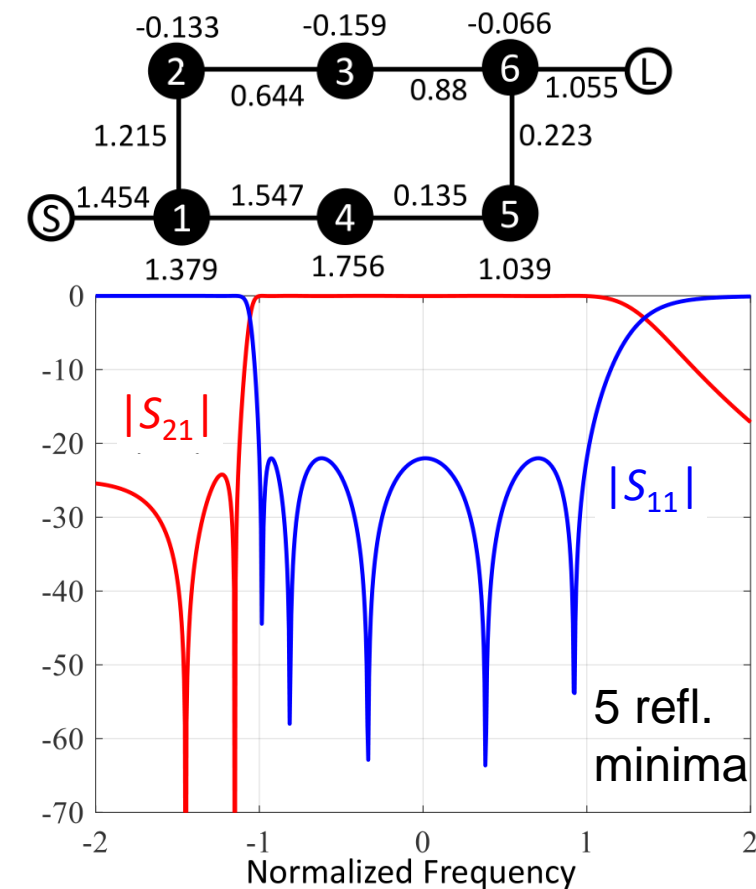
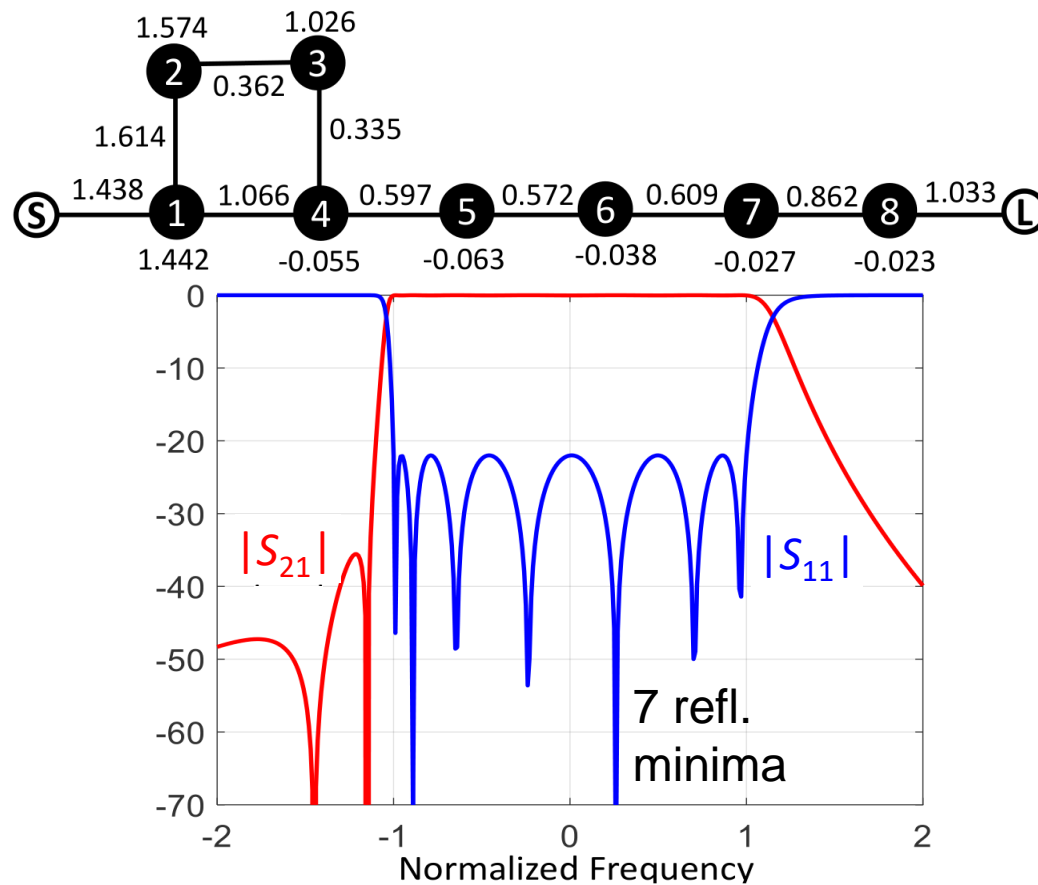


Examples: Quadruplet and 6-Box

- The CRZ region for uniform signs depends on the position of the quadruplet/box

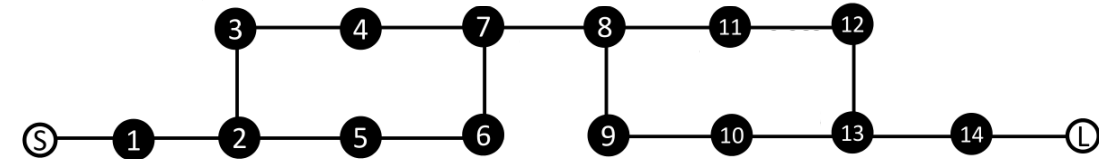
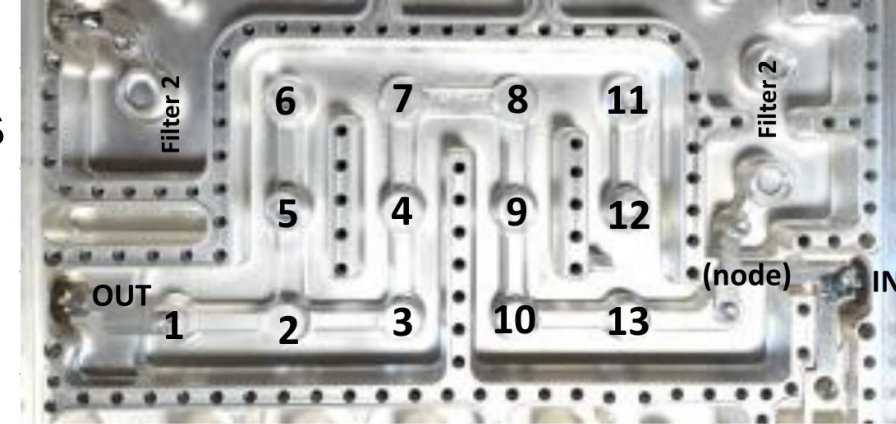
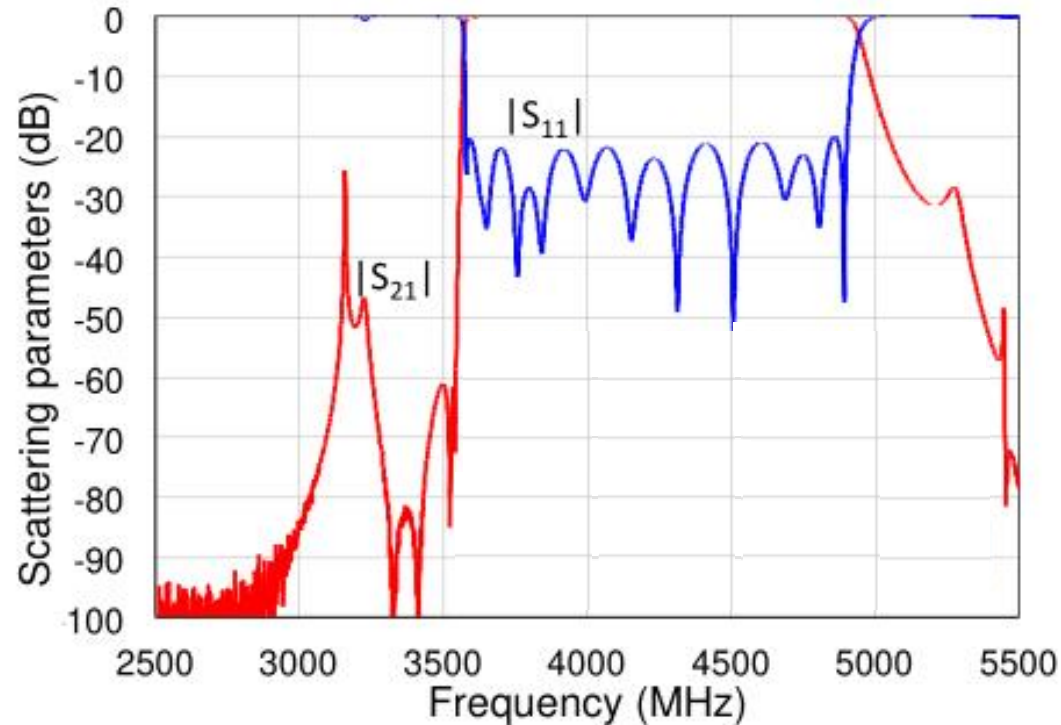
$N=8$; $RL=22\text{dB}$; $TZ=-1.45, -1.15$; $CRZ=1-2.83j$

$N=6$; $RL=22\text{dB}$; $TZ=-1.45, -1.15$; $CRZ=1-2.99j$



Examples: 14-order Filter

- Filter manufactured and shown in a previous paper
- Was optimized to obtain 2 degenerate 6-box sections

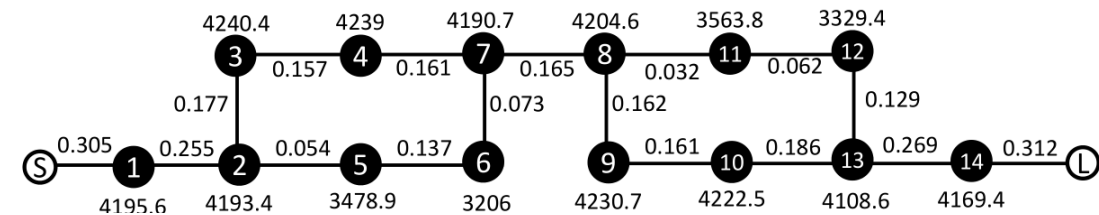
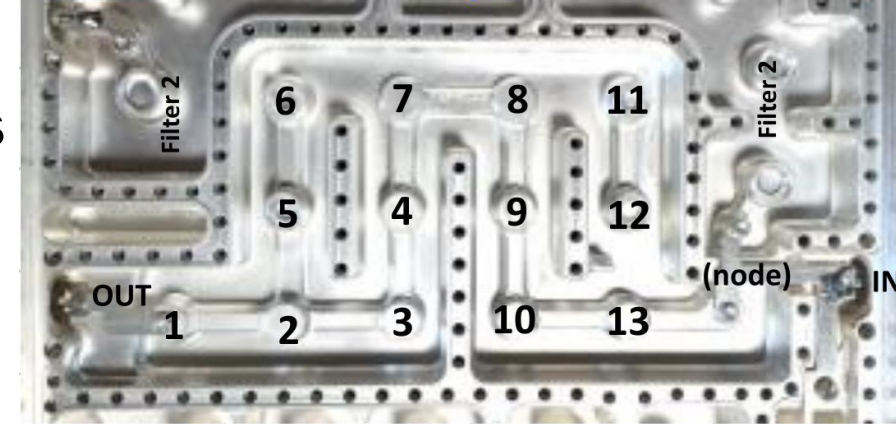
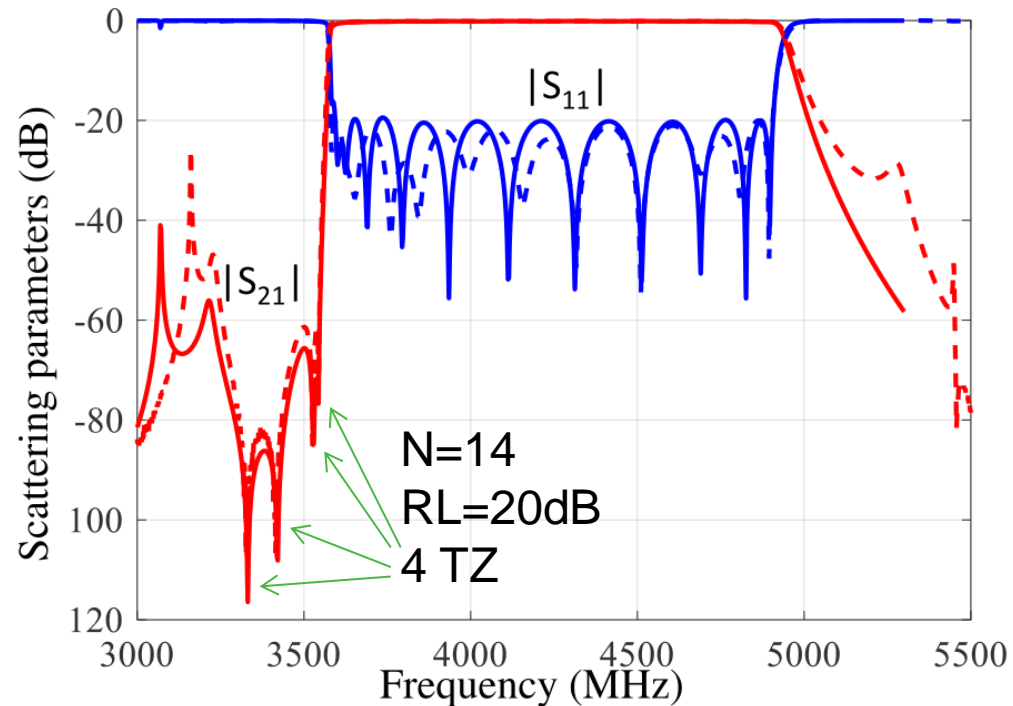


Fit the response with a N=14 Reduced Chebychev response with 2 CRZ (initially corresponding with the spurious S21 peaks at 3200MHz)

- Can it be obtained by the new technique?

Examples: 14-order Filter

- Filter manufactured and shown in a previous paper
- Was optimized to obtain 2 degenerate 6-box sections

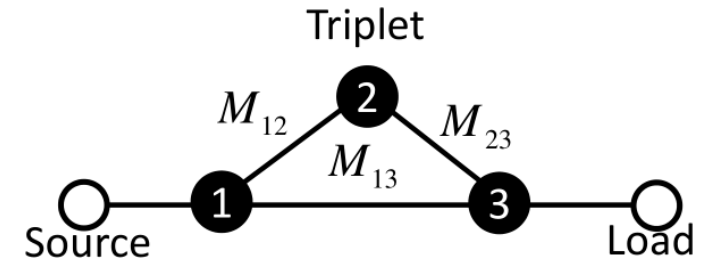
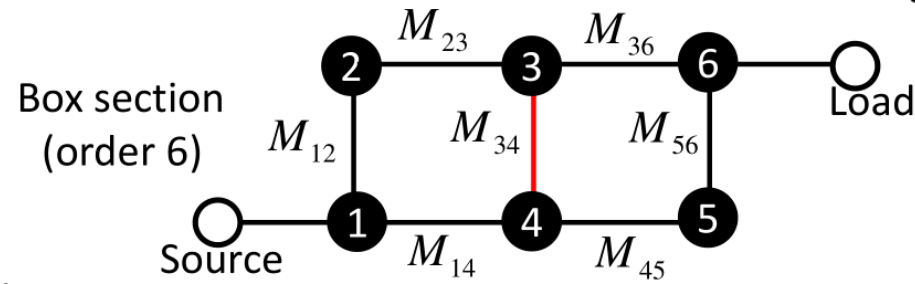
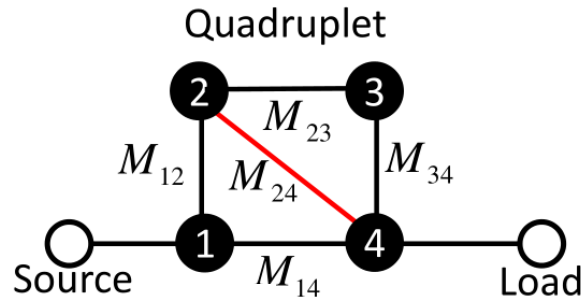


Fit the response with a N=14 Reduced Chebychev response with 2 CRZ: $-1.987j$, $-0.025-1.687j$
 Synthesize \rightarrow Indeed gives 2 degenerate 6-box!
 Simulate \rightarrow Very good agreement!

- Can it be obtained by the new technique?
- Yes, and it could be improved too (CRZs further below 2700MHz)!

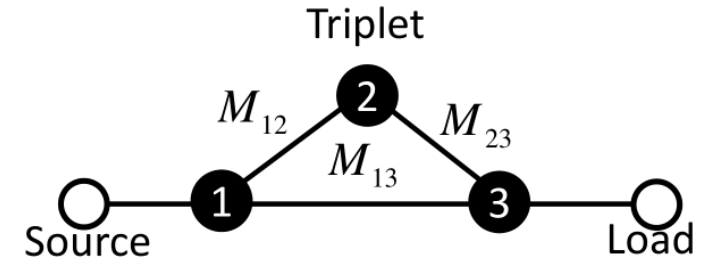
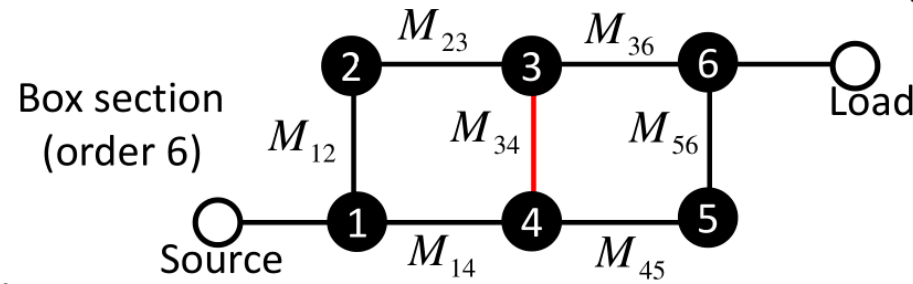
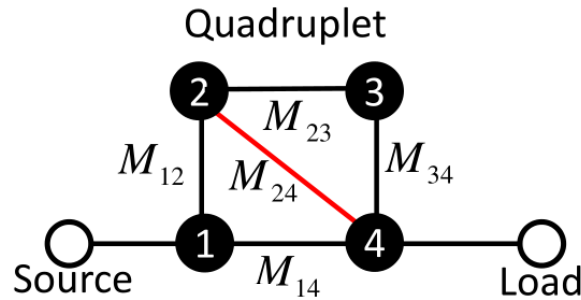
Conclusions

- Complex Reflection Zeros allow degrees of freedom:
 - All positive coupling coefficients
 - Degenerate structures

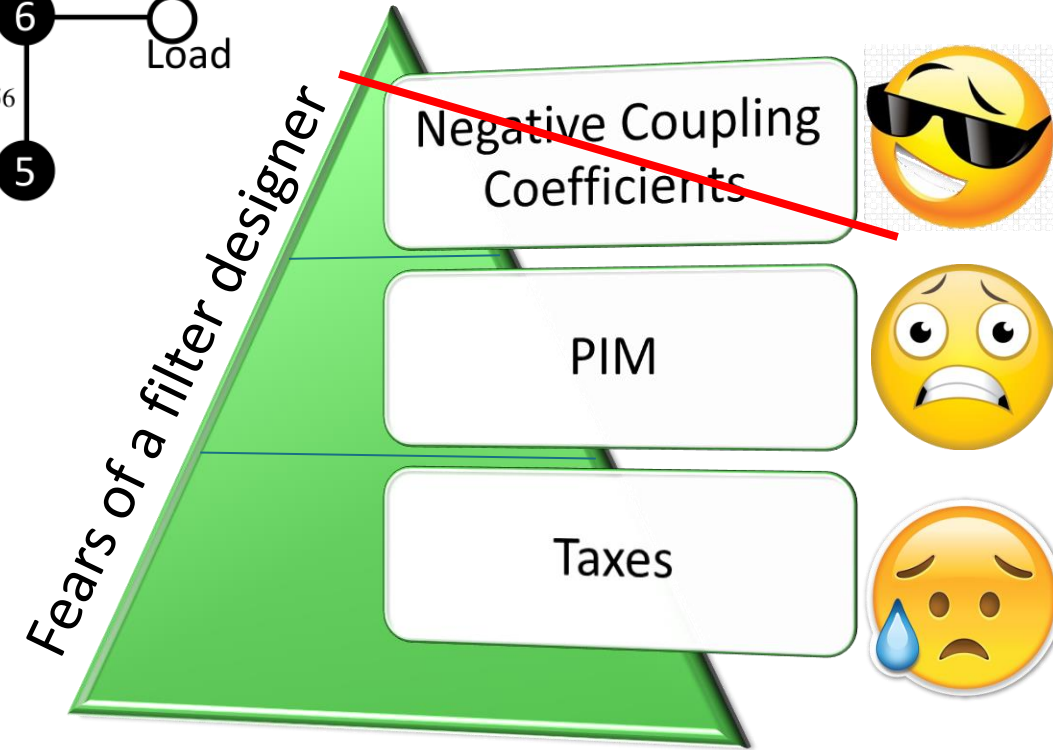


- Maps to place CRZ
- Guidelines for simplified design
- Confirmed by several examples

- Complex Reflection Zeros allow degrees of freedom:
 - All positive coupling coefficients
 - Degenerate structures



- Maps to place CRZ
- Guidelines for simplified design
- Confirmed by several examples
- We still have the other fears...



Thank you!

Questions?



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