

# We3G-1



# Resonance-Related Fluctuations on Experimental Characteristic Impedance Curves for PCB and On-Chip Transmission Lines

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#### **Problem Statement:**

- Fluctuations in transmission line measurements versus frequency curves have been observed, and generally, they have been modeled by a lumped admittance in each port.
- These fluctuations are associated with resonances originated by standing waves bouncing back and forth between the transitions at the transmission line terminations—probing platforms, pads.
- It is difficulty, if not impossible, to completely remove the parasitic effect of these transitions by de-embedding the measurements.







#### **Problem Statement:**

- Besides these resonances the additional transition from probing pads to the transmission line used to connect to the VNA introduces more reflections.
- This makes obtaining smooth and physically expected frequencydependent curves a tough task, to say the least.
- Hence, these effects must be quantified and taken into account to correctly model the measured transmission line.







#### Contribution:

- We point out —for the first time to the best of our knowledge— that these fluctuations also occur in the transition itself.
- These are associated with resonances originated by standing waves bouncing back and forth in the transitions at the transmission line terminations.
- We herein propose a distributed model to consider the extra reflections satisfactorily.







# Theoretical background:

- Accurate knowledge of the complex Z<sub>c</sub> is necessary for TL characterization and some calibration routines.
- A measurement of a "pure" TL provides, once S parameter data is transformed to an ABCD matrix:

$$\mathbf{T}_{h} = \begin{bmatrix} \cosh(\gamma l) & Z_{c} \sinh(\gamma l) \\ \sinh(\gamma l)/Z_{c} & \cosh(\gamma l) \end{bmatrix}$$

From which the characteristic impedance can be determined.

$$Z_c = \sqrt{\mathbf{T}_h \ [1,2]/\mathbf{T}_h \ [2,1]}$$









# Theoretical background:

 But we cannot measure a "pure" transmission line, since the measurement necessarily involves probing pads or platforms.
Thus the measurement becomes:

$$\mathbf{T}_{LhL} \approx \begin{bmatrix} 1 & j\omega L \\ j\omega C & 1 \end{bmatrix} \mathbf{T}_h \begin{bmatrix} 1 & j\omega L \\ j\omega C & 1 \end{bmatrix}$$

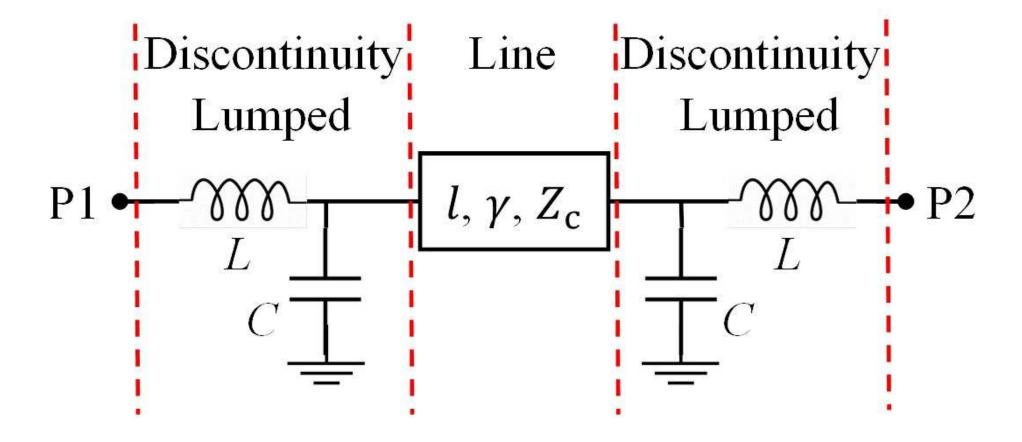
 Where the probing platforms are modeled by lumped admittances.







#### **Traditional model:**



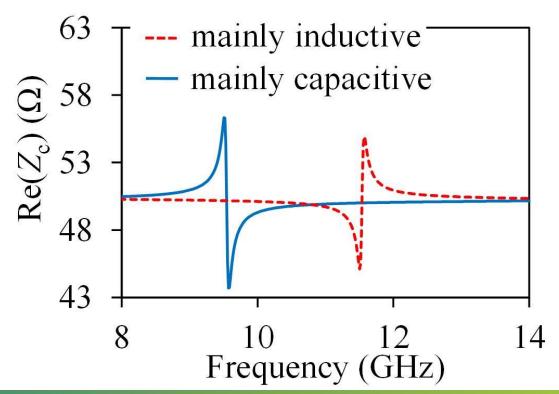






# Theoretical background:

• Hence,  $z_c = \sqrt{T_h [1,2]/T_h [2,1]}$  does not yield the value of  $Z_c$  but curves that include glitches around a constant value for  $Z_c$ .



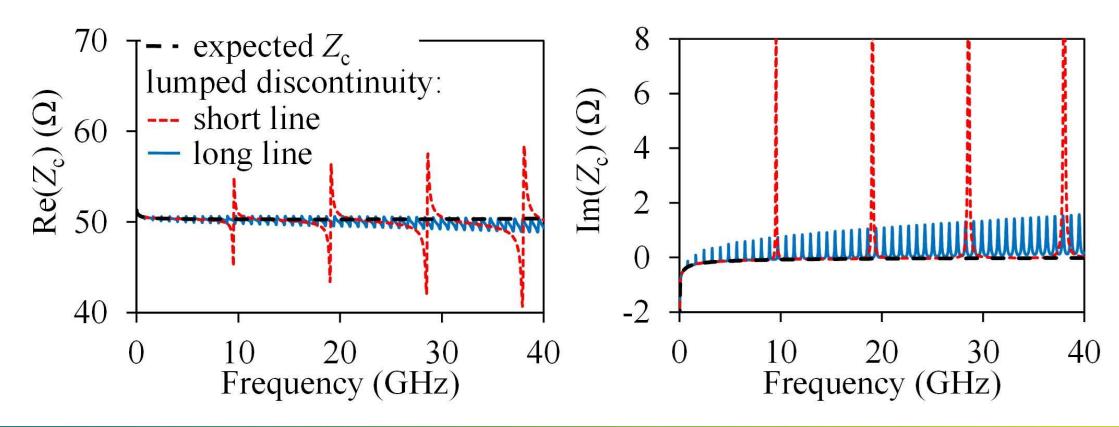






# Theoretical background:

The periodicity of the glitches depends on line length:



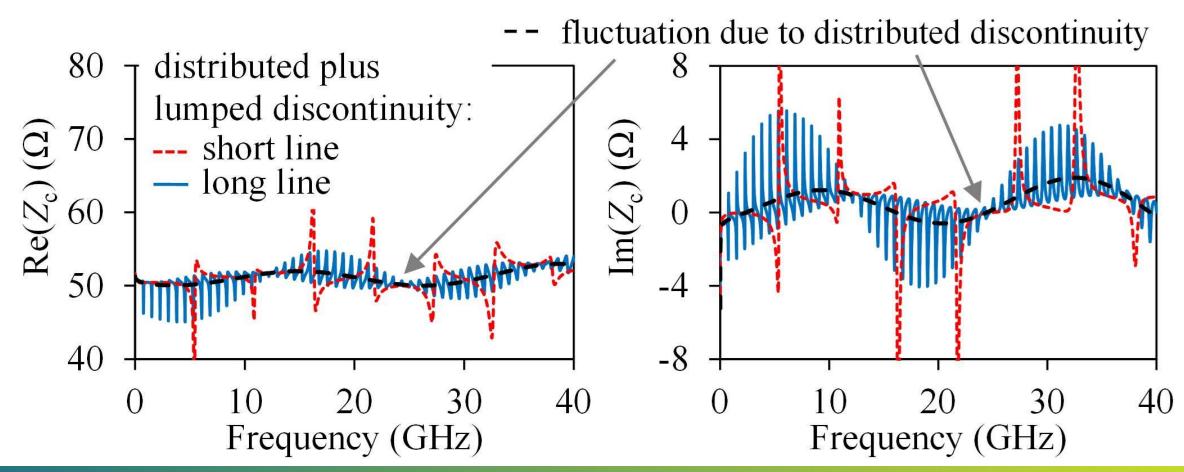






# **Experimental observations:**

We observed an additional fluctuation upon measuring TLs:



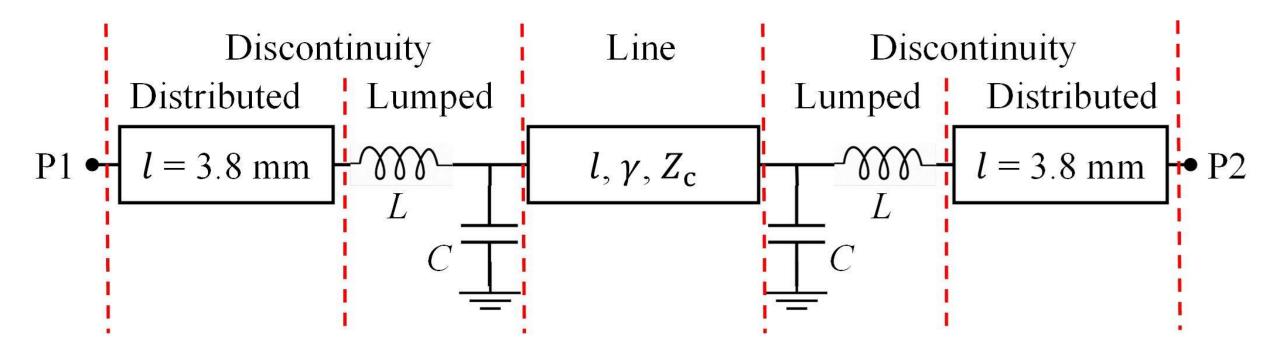






# **Experimental observations:**

These can be modeled with a distributed model to account for the connector:









# **Experimental considerations:**

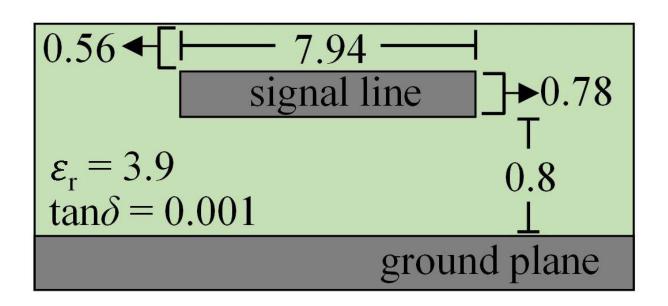
- To prove the hypothesis, three different types of structures were built, measured and analyzed.
  - Lines on chip on a CMOS process, measured with probes.
  - Lines on PCB terminated with probe adapters.
  - Lines on PCB terminated with coaxial connectors.

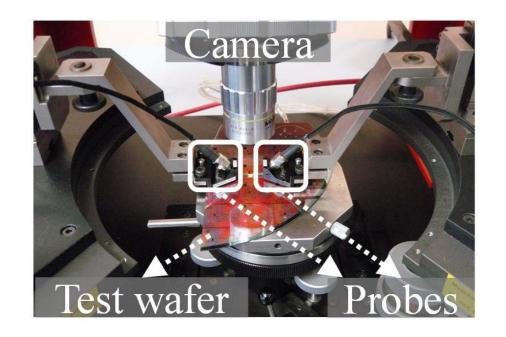






#### On-chip lines terminated with probe-pads





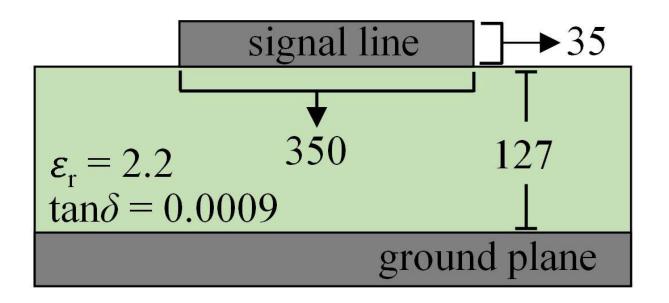
Lengths  $I=1,380\mu m; 2,450\mu m; 4,600\mu m$ .

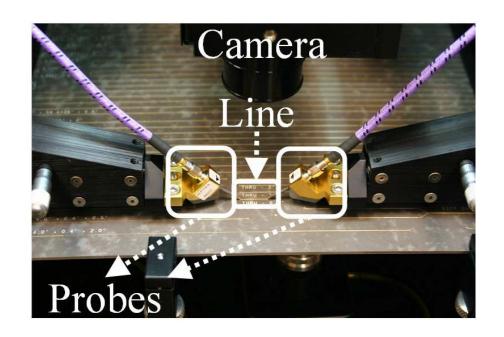






#### PCB lines terminated with probe-pads





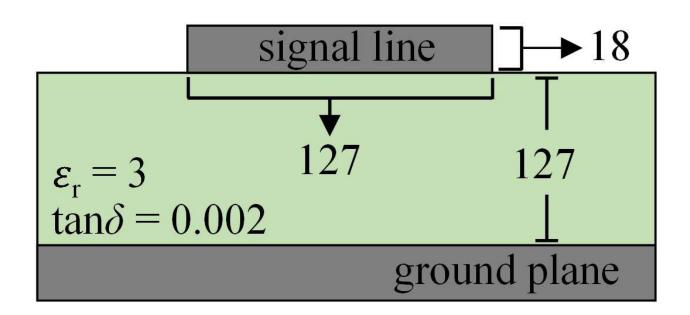
Lengths I=12.7mm; 101.6mm.  $Z_c \approx 51\Omega$ .

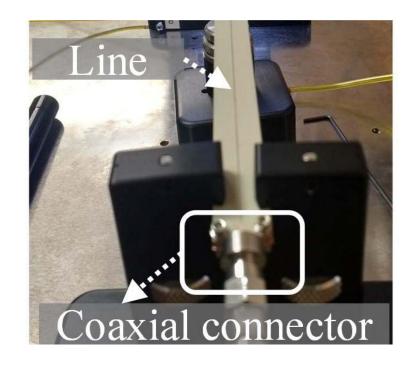






#### PCB lines terminated with coaxial connectors





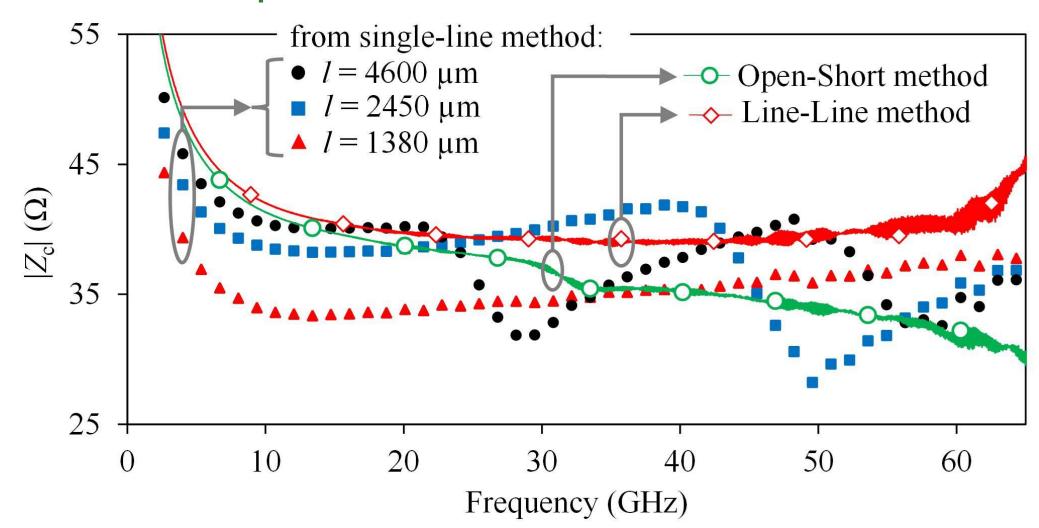
Lengths I=25.4mm; 317.5mm.  $Z_c \approx 72\Omega$ . 40 GHz General Precision Connector, 2.92mm interface.







# Results —On chip lines









# **Analysis:**

- The figure presents  $Z_c$  using  $z_c = \sqrt{T_h [1,2]/T_h [2,1]}$  for different line lengths.
- In addition to the fluctuations due to the transistions,  $Z_c$  exhibits large discrepancies depending on line length, which is unexpected.
- Using the open-short method, the fluctuations due to discontinuities are smoothed, but an unexpected Z<sub>c</sub> roll-off is observed as frequency increases.







# Analysis:

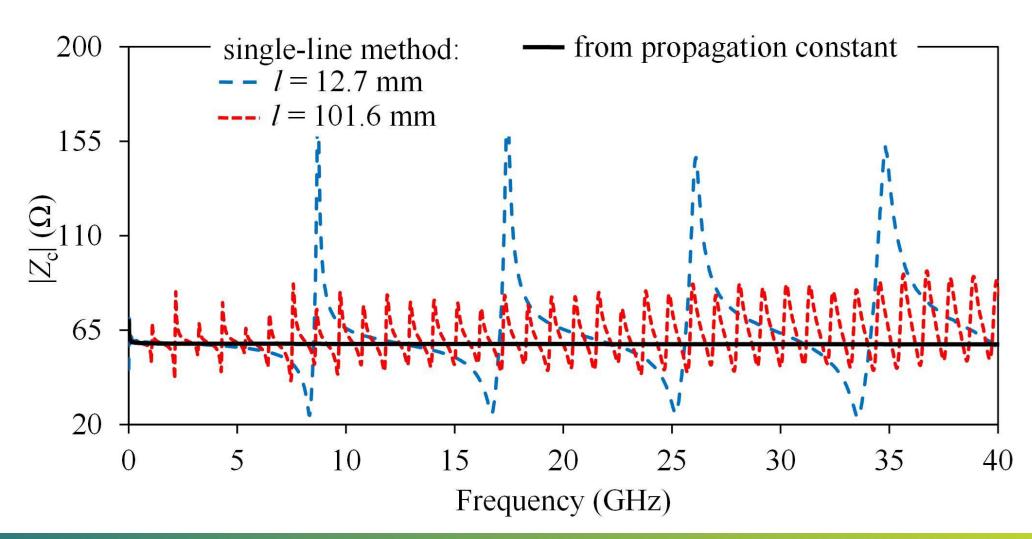
- The variation is attributed to the consideration that the open and short transitions between the pads and the line is abrupt.
- Using the line-line method, a quasi flat  $Z_c$  is achieved from 10 GHz to 50 GHz, whose value can be expected to be close to the expected one.
- The extraction method considers that the transition can be represented by means of a lumped shunt admittance.
- This assumption is valid provided the pad array is relatively small, true for on-chip interconects, not for PCB.







# Results —PCB with probe pads









# Analysis:

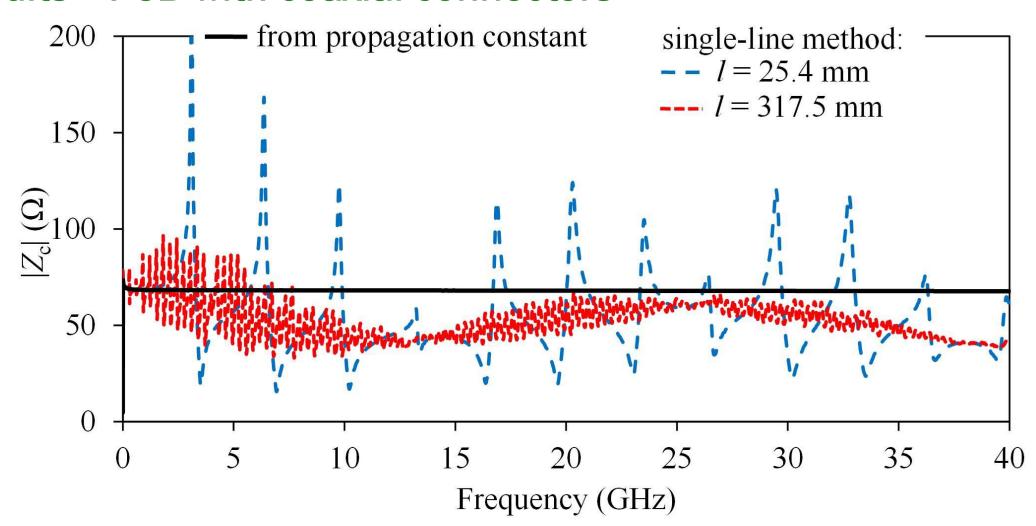
- On these lines, the resistance PUL is much smaller, but the associated length might be considerable, and a significant number of fluctuations may be observed within a few tenths of GHz.
- The reflections have a greater magnitude for the short line, but occur at a higher rate in the long one.
- $Z_c$  obtained from  $\gamma$  is smooth, and can be a good approximation.
- Knowledge of frequency-dependent complex permittivity as well as loss tangent are necessary to apply the method.







#### Results —PCB with coaxial connectors







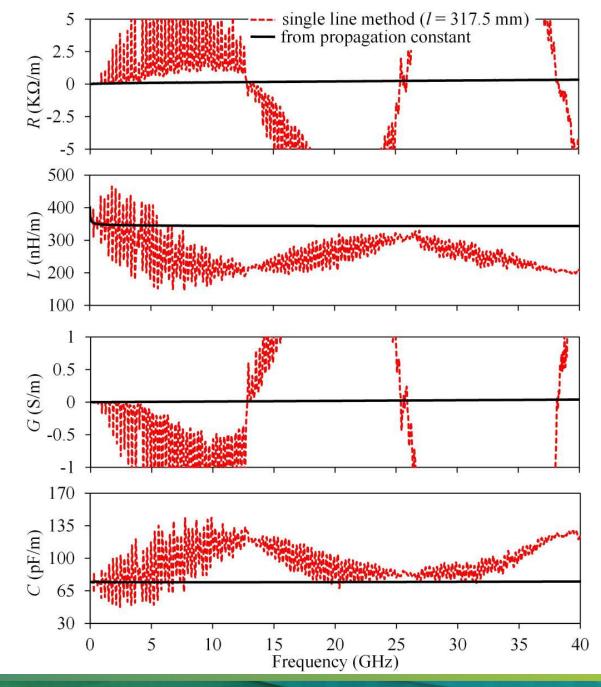


#### Analysis:

- These lines (connector terminated) exhibit an additional effect that considerably hinders the accurate determination of Z<sub>c</sub>.
- Since the electrical length of the connector is large, fluctuations also appear at lower periodicities.
- To account for them, a distributed model for the connector is necessary.
- An important consequence is the difficulty in determining transmission line parameters accurately, as shown in the following graph.





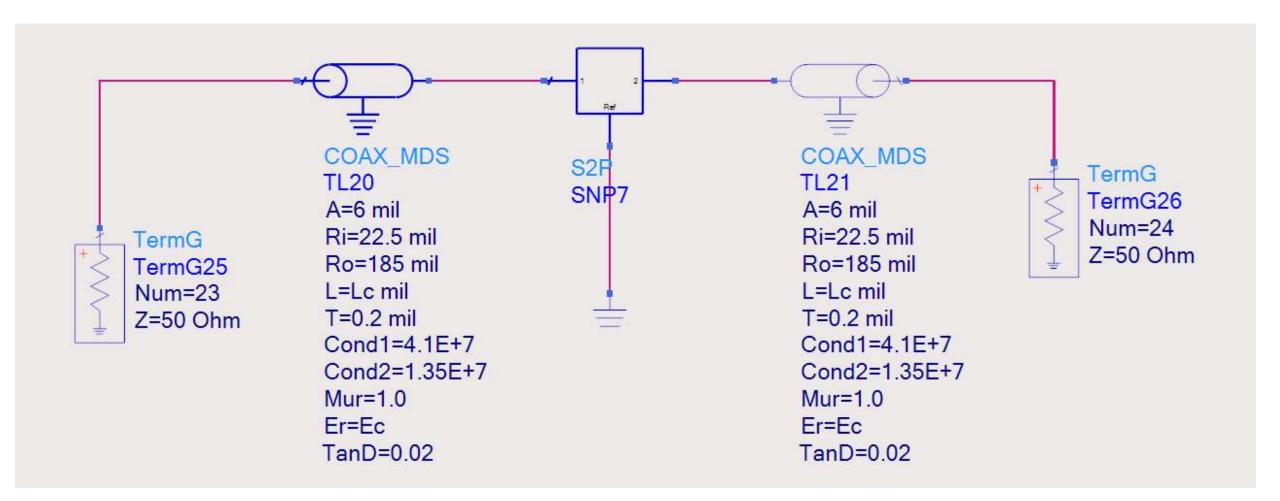






# The Code Name Under the San DIEGO 2023

#### Model:



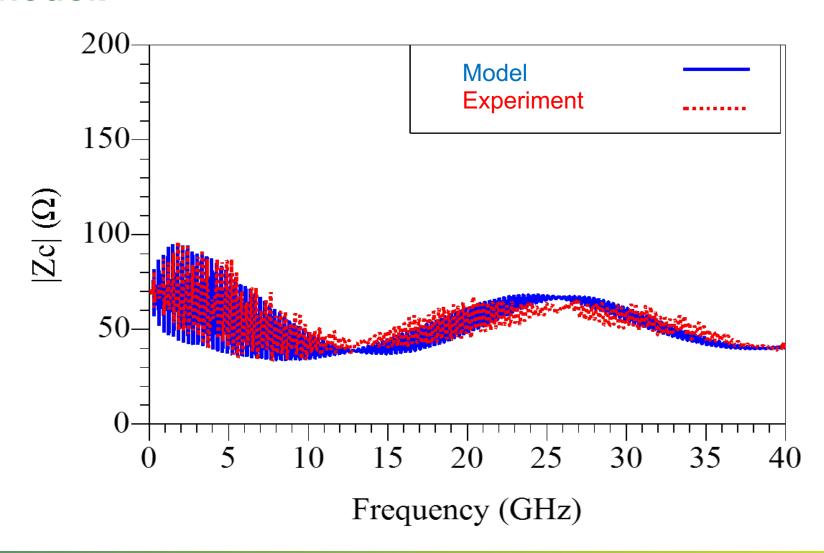






#### Measurement vs Model:

PCB line terminated with a coaxial connector, *I*=317.5 mm



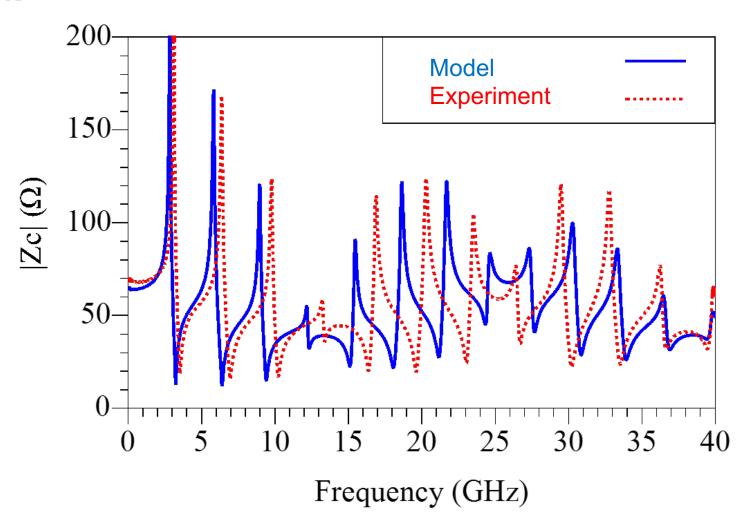






#### Measurement vs Model:

PCB line terminated with a coaxial connector, *I*=24.5 mm









#### Discussion:

- For microstrip lines manufactured on PCB the  $Z_c$  curve does not considerably vary with frequency since the losses are relatively small.
- On chip lines present very thin films, which translated into resistances per unit length in the order of  $K\Omega/m$ .
- This high resistance causes the characteristic impedance to have a strong variation over a wide range of frequencies.







#### **Conclusion:**

- Short lines —for instance on chip— are less impacted by the effect described herein than long lines —those on PCB, for example.
- In fact, algorithms such as the line-line one provide good results by modeling the transition as a a shunt admittance up to some tens of GHz.
- For long lines, however, the fluctuation effect is considerable.







#### Conclusion:

- The effect is accentuated when using transitions that exhibit a noticeable distributed nature within the measurement range.
- We have proposed a distributed transmission line model to represent this effect.
- To the best of our knowledge, this is the first time this effect has been reported.







# Thank you very much for your kind attention! rmurphy@ieee.org

